

Particle acceleration in relativistic explosive reconnection events

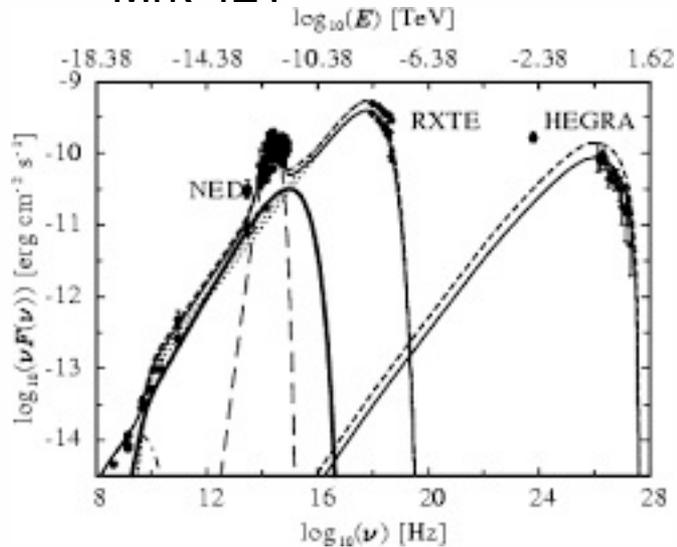
Maxim Lyutikov (Purdue)

Sergey Komissarov (Leeds)

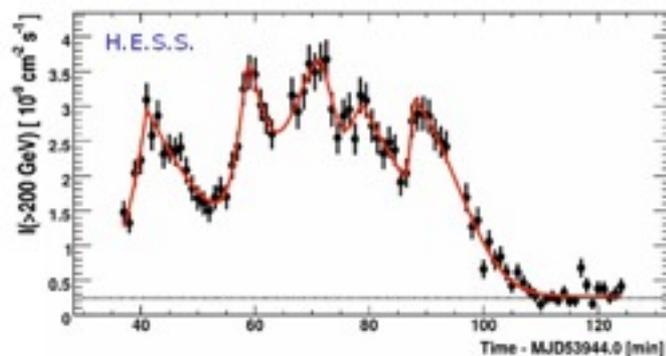
Lorenzo Sironi (Harvard)

High energy sources: non-thermal particles, fast variability (= very fast acceleration)

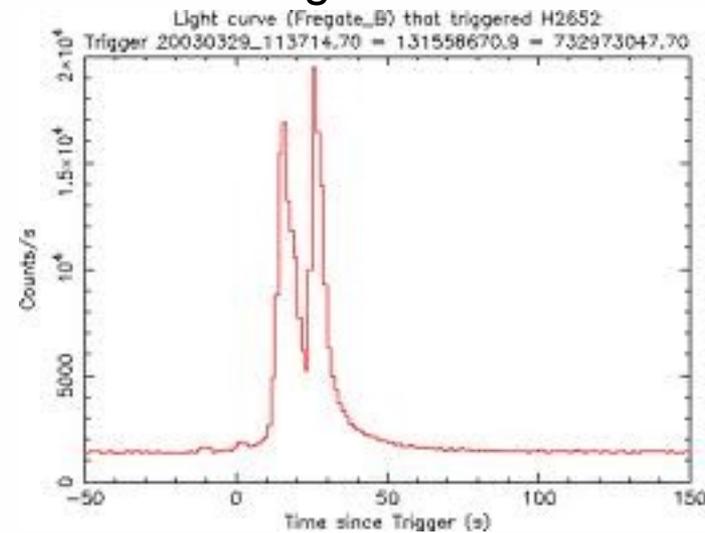
Mrk 421



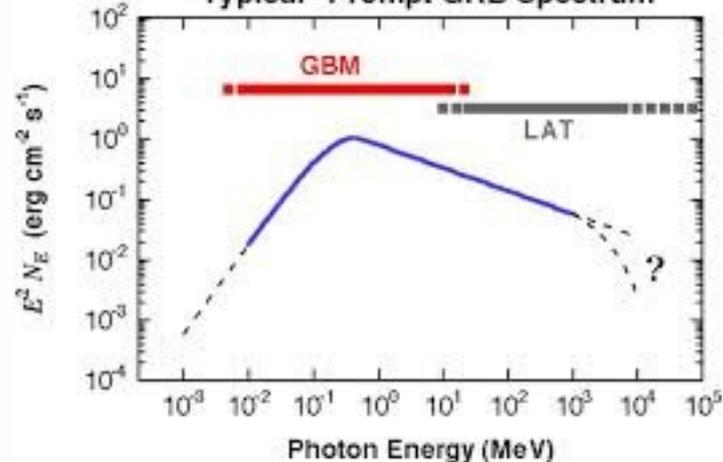
blazar PKS 2155-304



GRB light curve



"Typical" Prompt GRB Spectrum

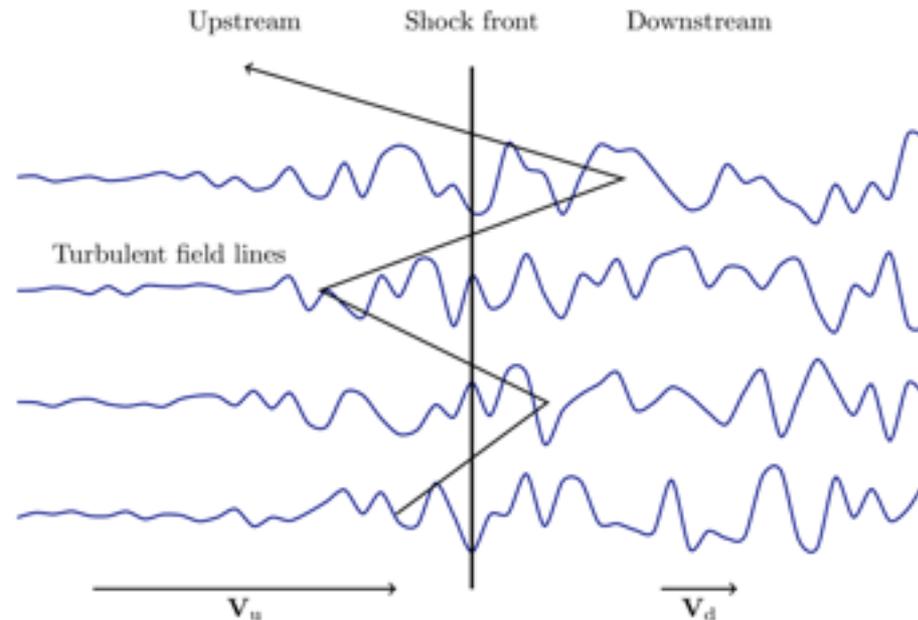


Requirements on acceleration mechanism

- Power law distribution $\frac{dn}{d\gamma} \propto \gamma^{-\alpha}$
 α sometimes is smaller than 2!
 $\alpha \sim 2 \pm \epsilon$
- Very large Lorentz factors $\gamma_{\max} \sim 10^7 - 10^9$
- **Variability on (shorter!) than light travel times**
- **Very efficient (very fast) acceleration**

Shocks: acceleration by Fermi

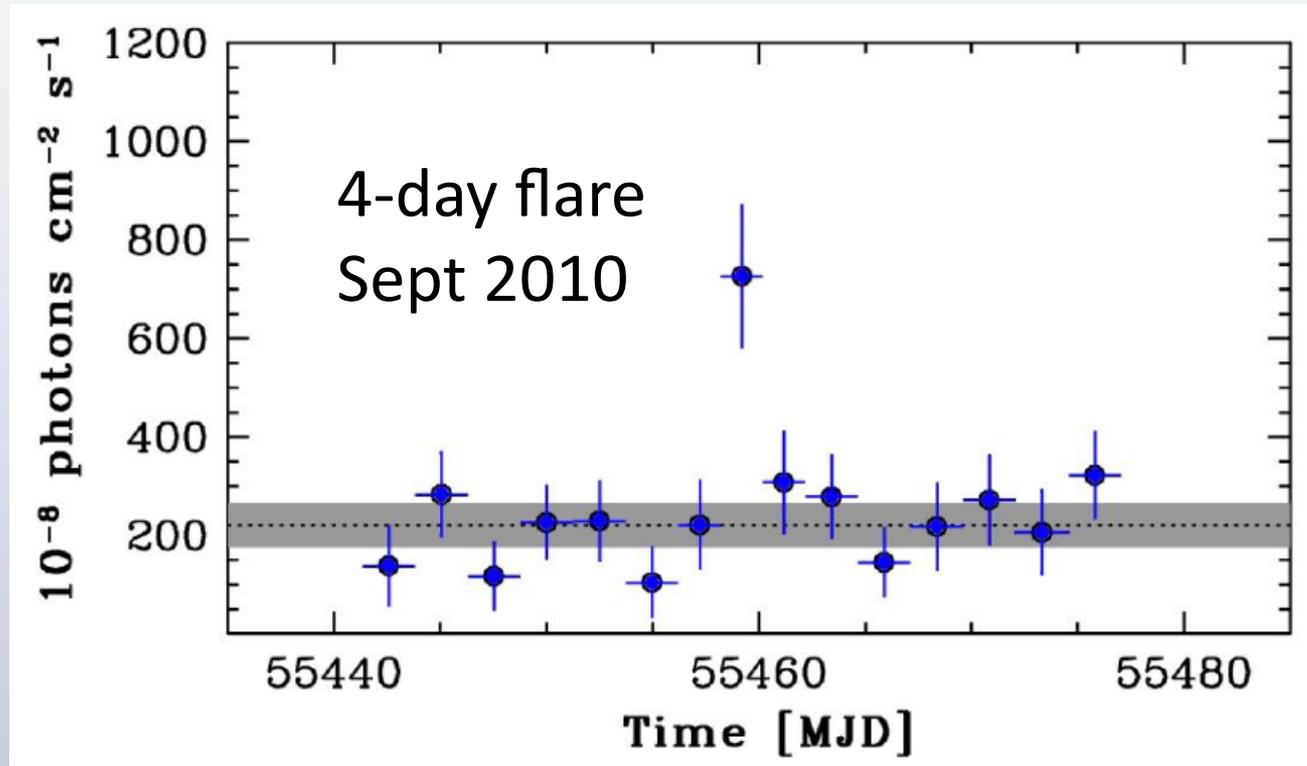
- **Acceleration is slow, on time-scales \gg gyration**
- (Drift acc. might be faster - but it does not work)



$$\alpha = 2 + \epsilon \quad \text{- Just from shock compression}$$

Microscopic property from macroscopic parameters!

Crab nebula flares!

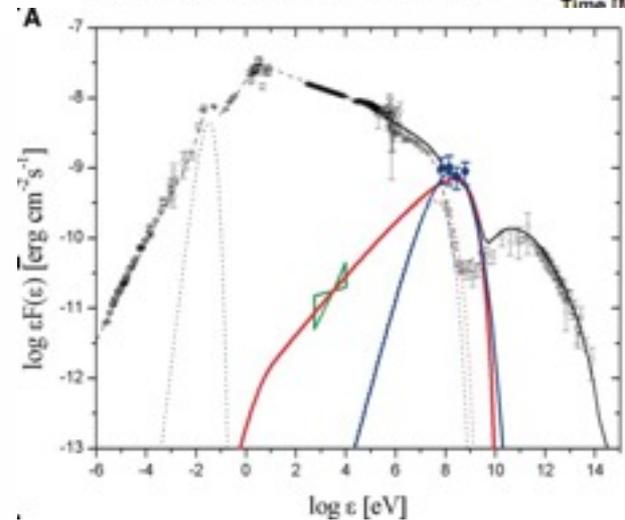
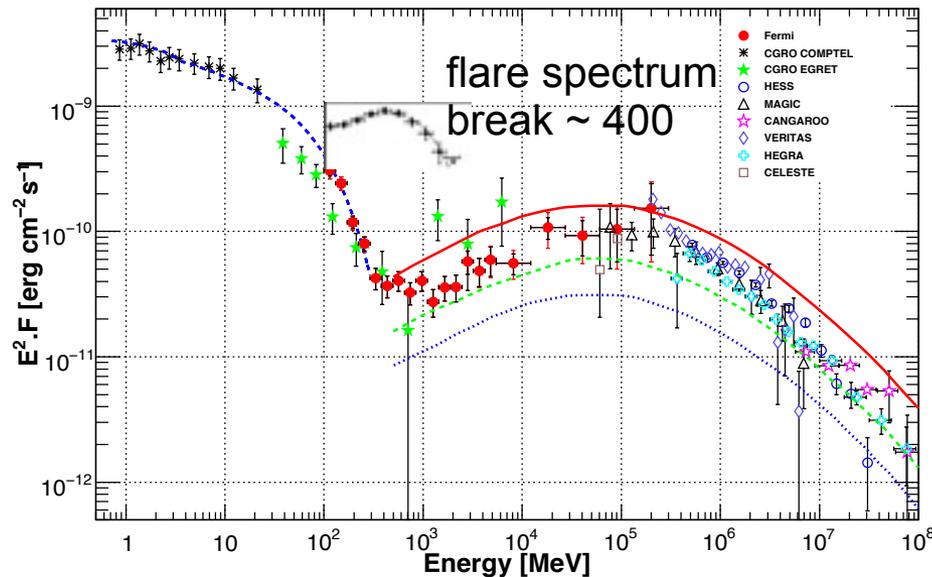
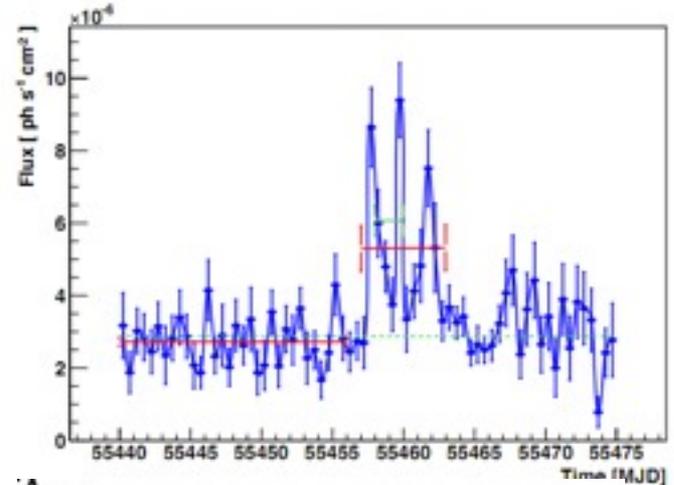


Tavani et al. 2011

Many aspects of AGNs and GRBs models are based on Crab nebula.
Pulsar = very small AGN

Crab flares

- Few times per year
- Random
- Flux increase by 40
- 100 MeV - 1 GeV
- lasts for a day (\ll dynamical time)
- periodicity?



Nearly monoenergetic!

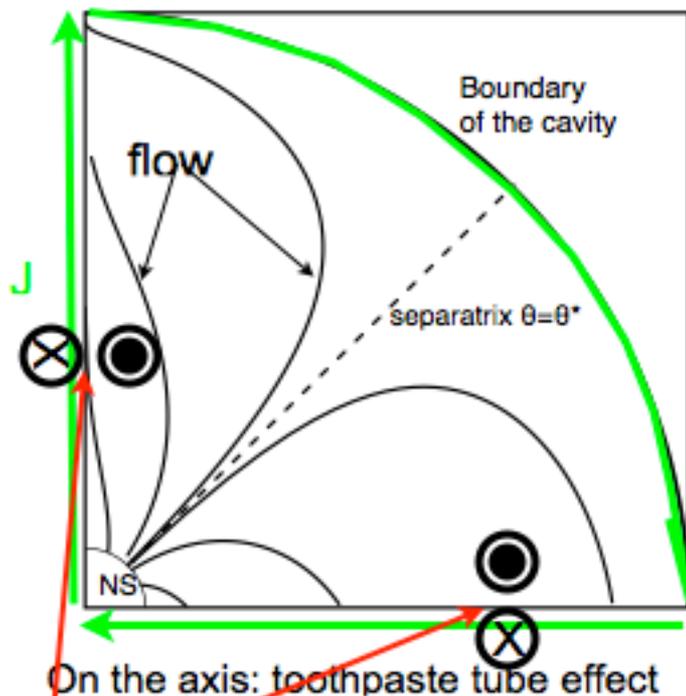
Upper limit to synchrotron frequency

Accelerating E-field < B-field

$$eEc = \eta eBc = \frac{4e^4}{9m^2c^3} B^2 \gamma^2$$
$$E_p = \frac{27}{16\pi} \eta \frac{mhc^3}{e^2} = 236 \eta \text{ MeV.}$$

- Same as Fermi acceleration on inverse gyroscale (requires very efficient scattering, stochastic acceleration: $\eta \ll 1$)
- **Typically $\eta < 10^{-2}$ for stochastic shock acceleration: this excludes stochastic acceleration schemes.**

High sigma model of pulsar wind nebulae *(Lyutikov 2010)*

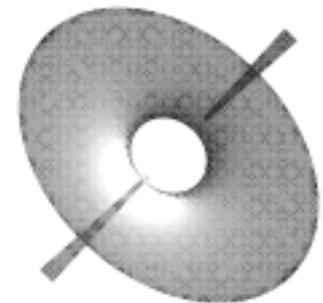
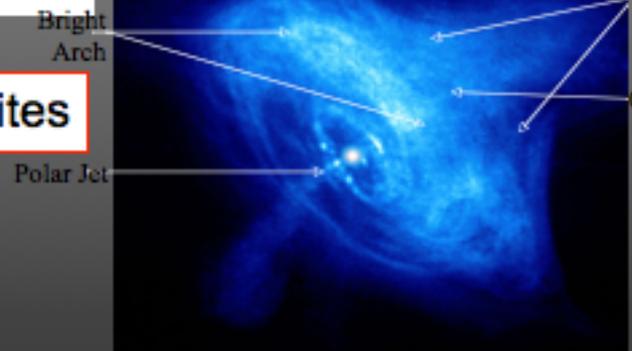


- Lyutikov (2010): 100 MeV is still too much.
- Ideal flow in the bulk, dissipation on boundary
- "We propose that [...] the excessive magnetic flux is destroyed in a reconnection-like process"

High sigma model of PWNe

- No shocks! (Acceleration in reconnection)
- Relativistic bulk motion of emitting plasma

Two possible reconnection sites

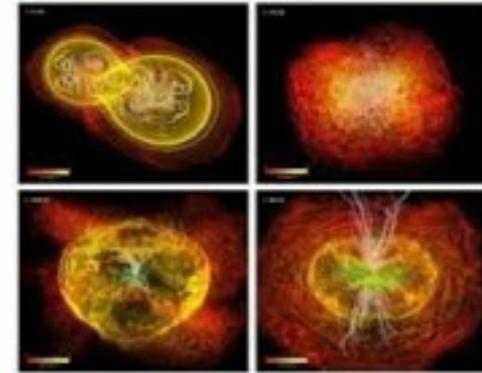
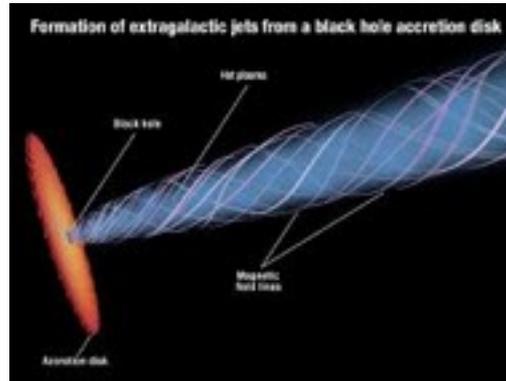
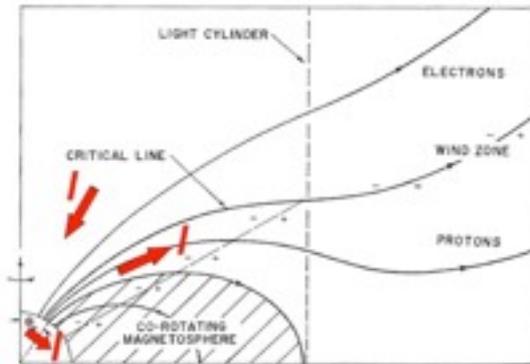


Very demanding conditions on acceleration

- Acceleration by $E \sim B$ (energy gain & loss on one gyro radius)
- **on macroscopic scales \gg skin depth**
 - acceleration size \sim thousands skins
 - acceleration size $\sim 0.1 - 1$ of the system size (in Crab)
- Few particles are accelerated to radiation-reaction limit - gamma $\sim 10^9$ for Crab flares (**NOT** all particles are accelerated)
- Slow accumulation of magnetic energy, spontaneously triggered dissipation
- (relativistic bulk motion)

Magnetically-dominated plasmas

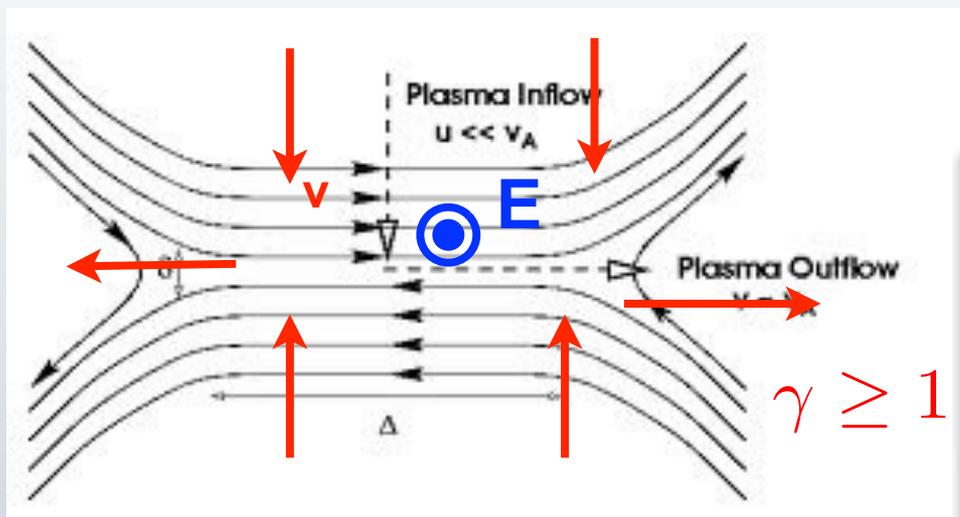
- Pulsar winds, AGN jets, GRBs are magnetically driven



- At launch $\sigma = \frac{B^2}{4\pi\rho c^2} \gg 1$
- Most energy in B-field
- Can be used to accelerate particles directly (without converting into mechanical bulk motion, shocks, field regeneration)
- AGN jets and GRBs may accelerate particles via reconnection events

(Lytikov & Blackman 2001, Lyutikov 2003, Lyutikov & Blandford 2003)

Relativistic Reconnection



$$\sigma = \frac{B^2}{4\pi\rho c^2} \gg 1$$

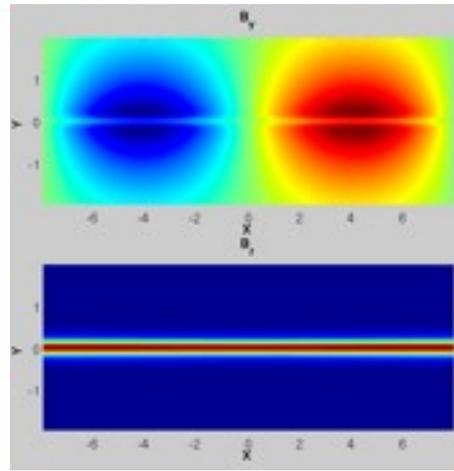
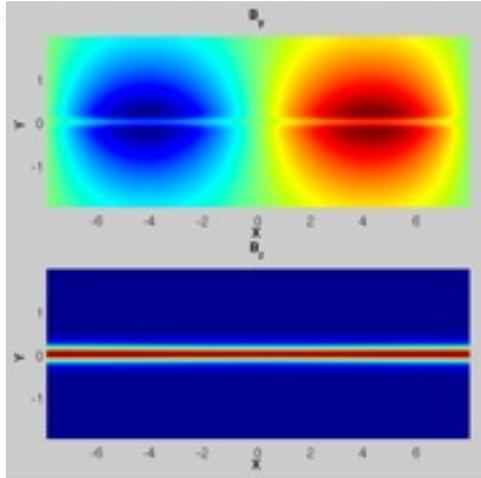
Reconnection in $\sigma \gg 1$ plasma: inflow and outflow can be relativistic $E \sim (v_{in}/c)B$
(Lyutikov&Uzdensky, Lyubarsky)

New plasma physics regime: $\sigma \gg 1$ plasma.

- **What are dynamic and dissipative properties of such plasmas? - very different from laboratory and space plasmas.**
- Pulsar winds, AGN & GRB jets and magnetospheres of BHs
- Alfvén velocity is highly relativistic
 - E-field is dynamically important
 - charge density is important

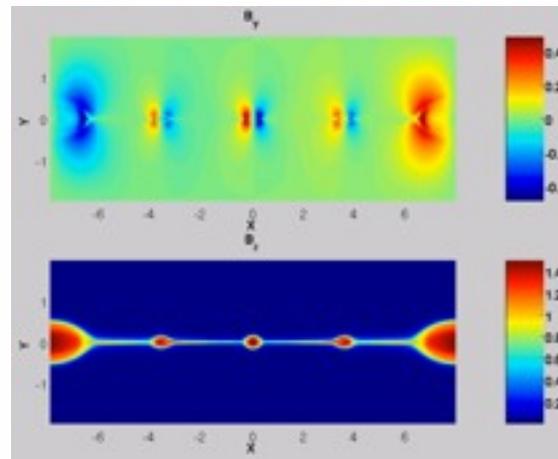
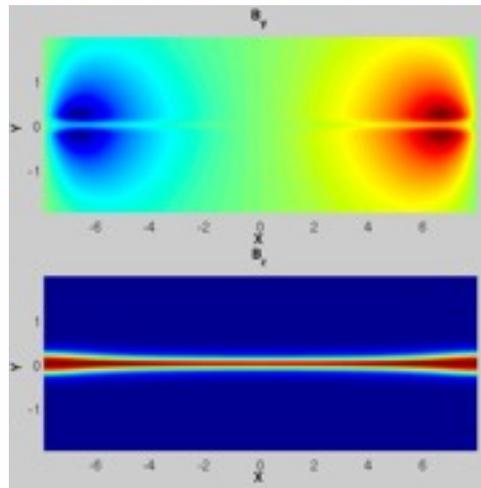
$$v_A = \sqrt{\frac{\sigma}{1+\sigma}} \rightarrow 1$$

Tearing mode in force-free plasma



- massless resistive plasma
- anisotropic conductivity
- tearing \sim non-relativistic

$$B^2 / (4\pi c^2) \sim \rho$$



Lyutikov 2003
Komissarov +, 2006

$$\Gamma \sim \sqrt{\tau_\eta \tau_A}$$

Particle acceleration?...

- Highly magnetized, $\sigma \gg 1$, shocks are weak, not likely to be efficient accelerators.
- All the energy in the B-field: accelerate particles directly via **reconnection**.
- Reconnection was a “...” word in high energy astrophysics

***Some (most?) particles in high energy sources
are accelerated by magnetic reconnection
(and not shocks)***

How to make a flare

- Store magnetic energy
- Dissipate magnetic energy on light travel time

Accumulation of magnetic energy: Woltjer-Taylor plasma relaxation

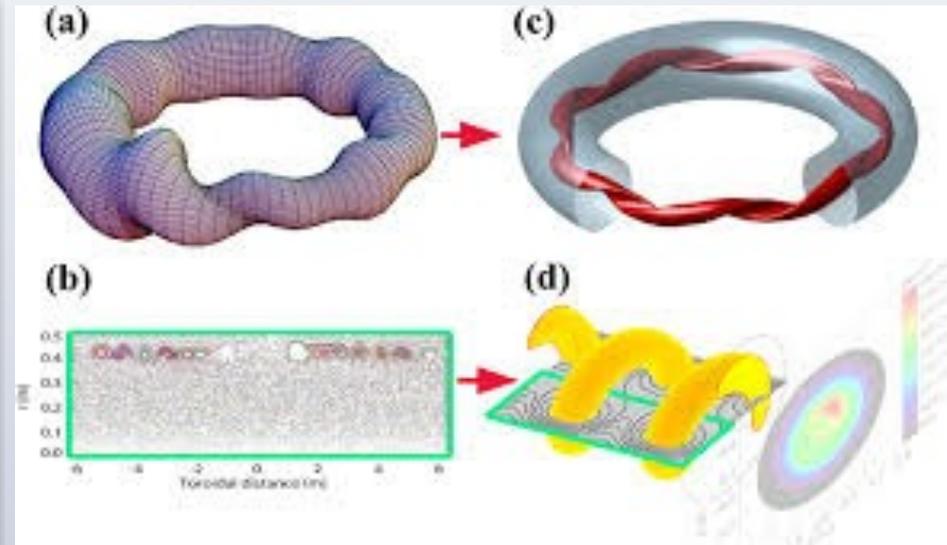
- Topology: helicity (twistiness of magnetic field lines)
- Helicity accumulates on largest scales and is better conserved than energy

- Plasma reaches force-free state with

$$\mathbf{J} = \alpha \mathbf{B}$$

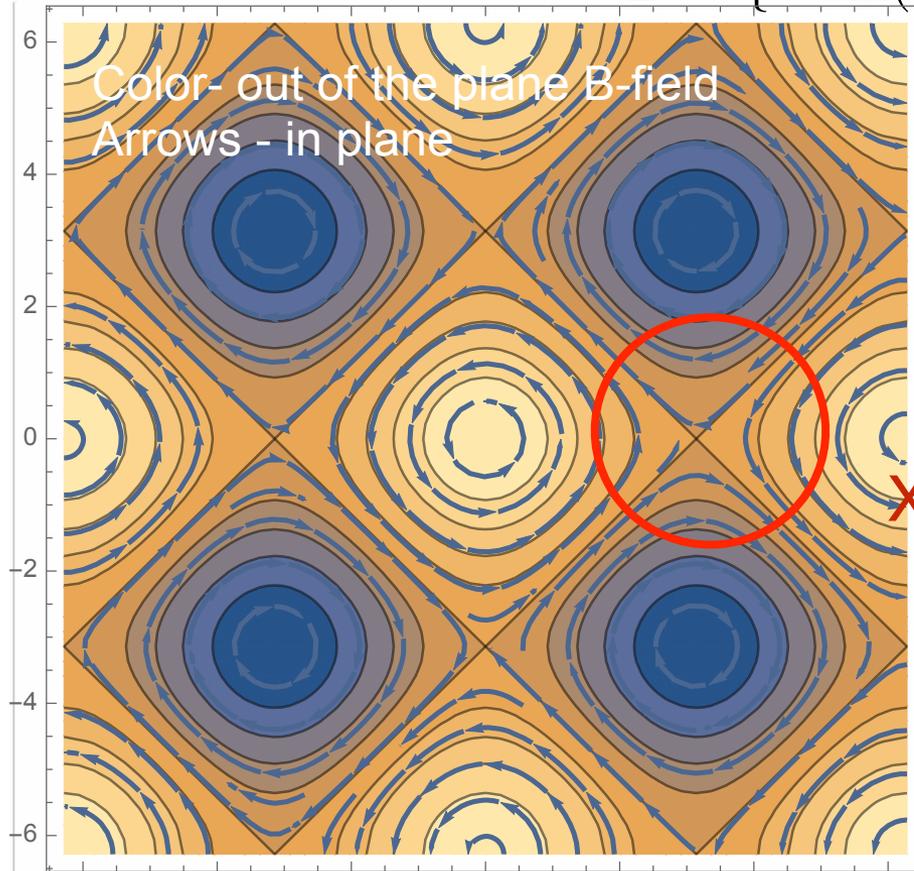
α – constant

- Plasma currents tend to form 2D structures



2D force-free state with α – constant

$$\mathbf{B} = \{-\sin(\alpha y), \sin(\alpha x), \cos(\alpha x) + \cos(\alpha y)\} B_0$$



Color- out of the plane B-field
Arrows - in plane

(A type of the “ABC” flow)

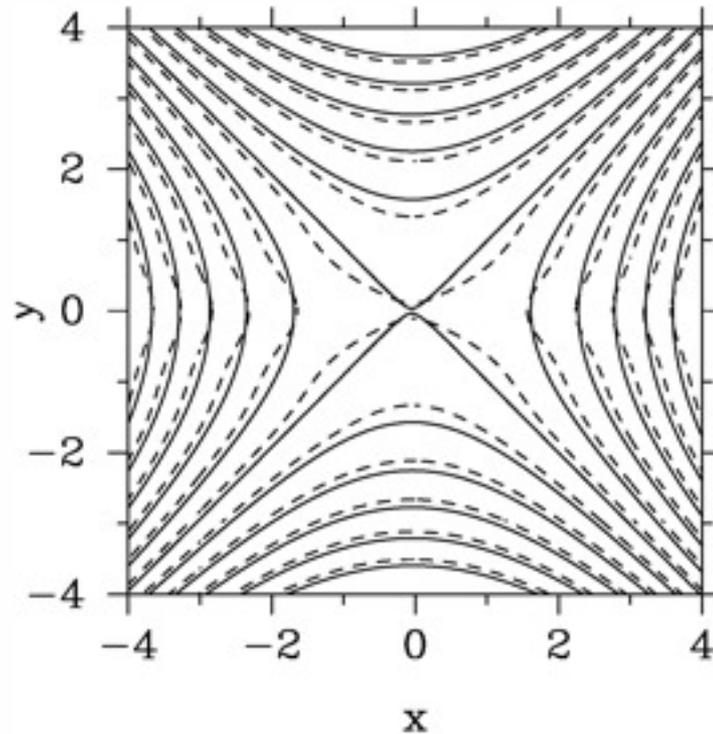
Is it stable?

X-point

- Detailed investigation of stability using analytical, relativistic fluid-type and PIC simulations (Lyutikov, Komissarov & Sironi, in prep.)

1. The X-point

- Unstressed X-point is stable to **short** wave length perturbation

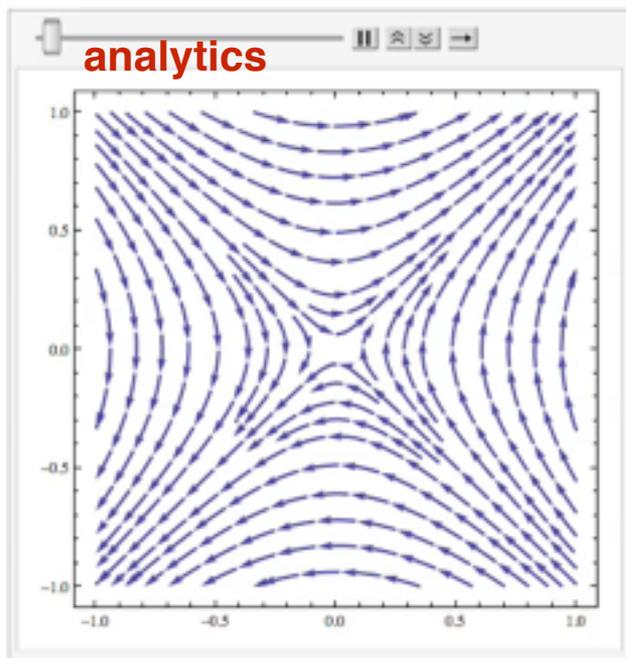


Collapse of stressed magnetic X-point in force-free plasma (a la Syrovatsky)

Dynamics force-free:

- infinitely magnetized plasma:
- currents & charges ensure $\mathbf{E}\mathbf{B} = 0$, no particle inertia

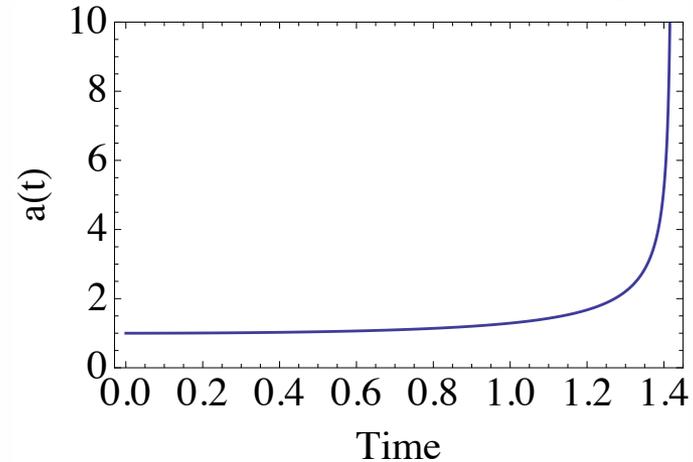
$$\sigma = \frac{B^2}{4\pi\rho c^2} \gg 1$$



$$\mathbf{B} = \left\{ \frac{a^2}{\lambda^2} \frac{y}{L} B_{\perp}, \frac{x}{La^2} B_{\perp}, B_0 \right\}$$

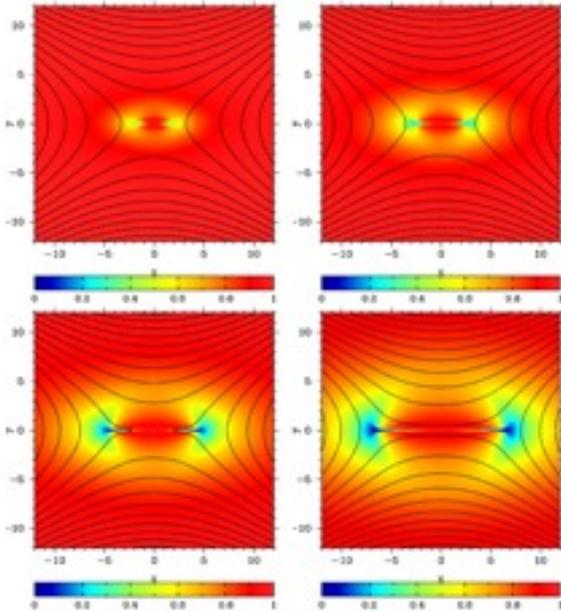
$$\mathbf{E} = \left\{ \frac{yB_0}{c}, \frac{x B_0}{c}, -\frac{x^2 \lambda^2 + y^2 a^4}{cL\lambda^2 a^2} \right\} \partial_t \ln a$$

$$\partial_t^2 \ln a = \mathcal{A} \left(\frac{a^4 - \lambda^2}{\lambda^4} \right), \quad \mathcal{A} = \frac{c^2}{L^2} \frac{B_{\perp}^2}{B_0^2}$$



- **explosive** dynamics on Alfvén time
- slow initial evolution
- Starting with smooth conditions
- Finite time singularity

- Relativistic force-free simulations of X-point collapse:

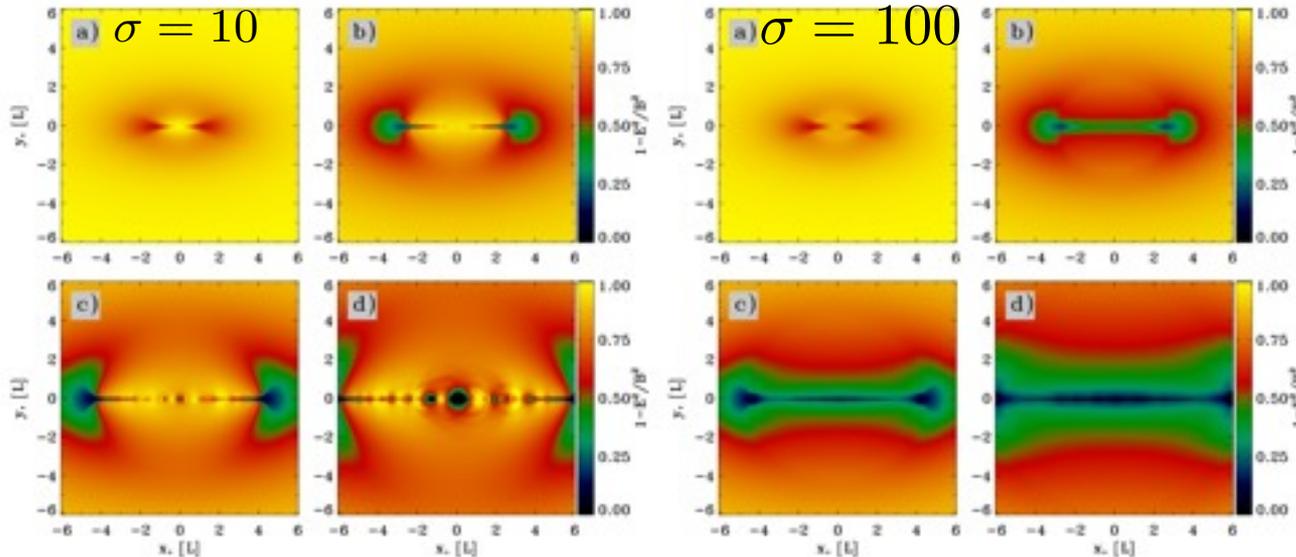


(Komissarov)

The color-coded image shows the value of $B^2 - E^2$, contours – the magnetic field lines.

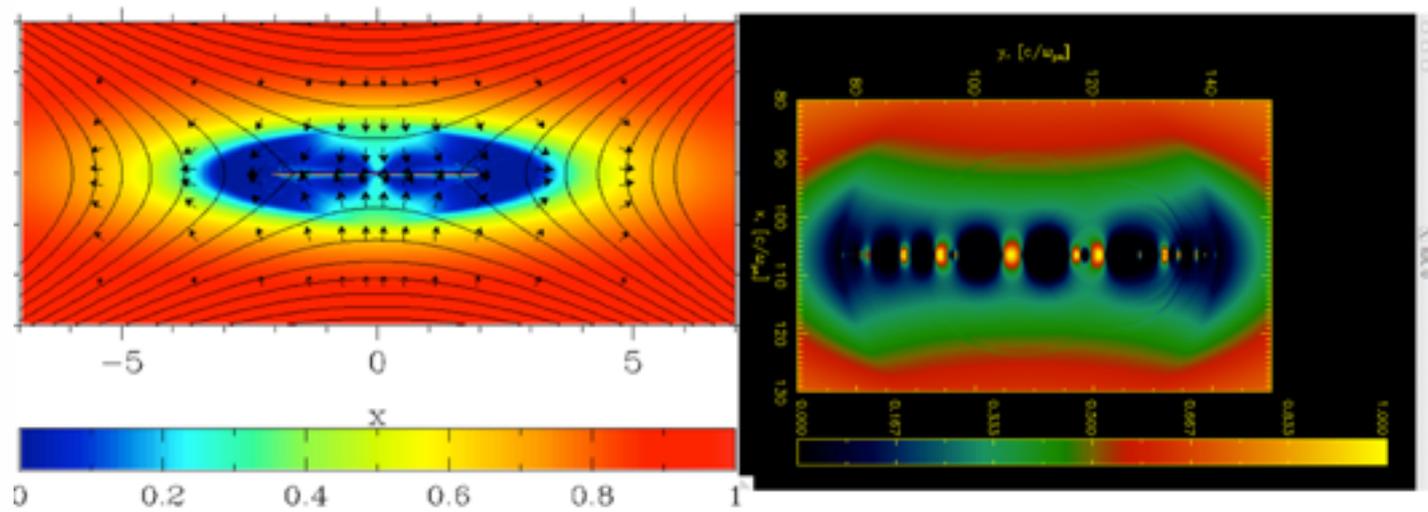
Large areas of $E > B$ appear

PICs



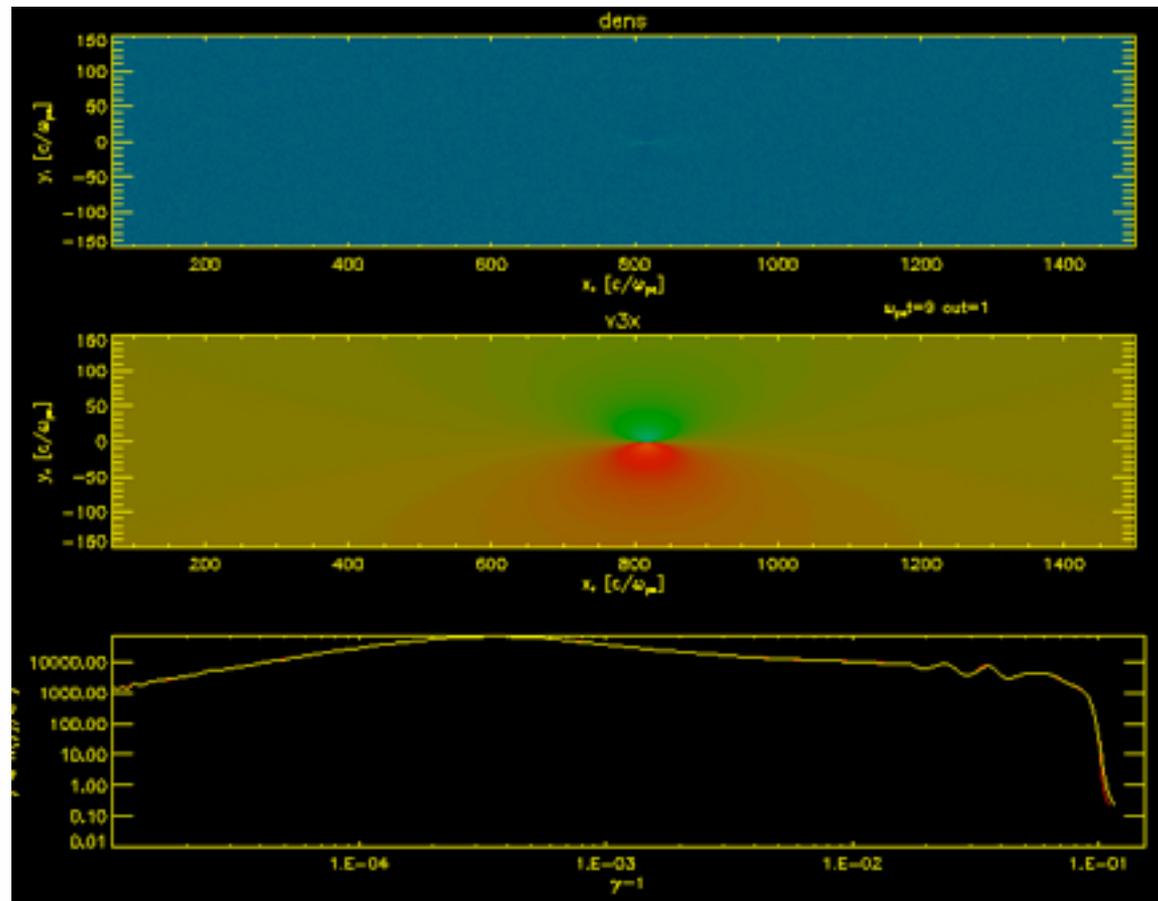
(Sironi)

High-sigma PICs and fluid simulations agree



Large region of $E \sim B$, growing with time
High sigma PICs look similar to force-free

Can produce power-laws



PIC simulations by Sironi

Acceleration in X-point collapse

- Highly efficient acceleration by $E \sim B$
- Acceleration starts abruptly, when reaching **charge starvation**.

- During collapse current density grows

$$J_z \approx \frac{c}{4\pi} \frac{B_\perp}{L} a(t)^2$$

- But $J < 2 n e c$ - not enough particles to carry the current

$$\mathit{curl} \mathbf{B} = \frac{4\pi}{c} \mathbf{J} + \partial_t \mathbf{E}/c$$

- E-field grows

- Condition for charge starvation: $a(t) > \sqrt{\frac{L}{\delta}} \frac{1}{\sigma^{1/4}}$ (not too demanding for Crab)

Acceleration in X-point collapse

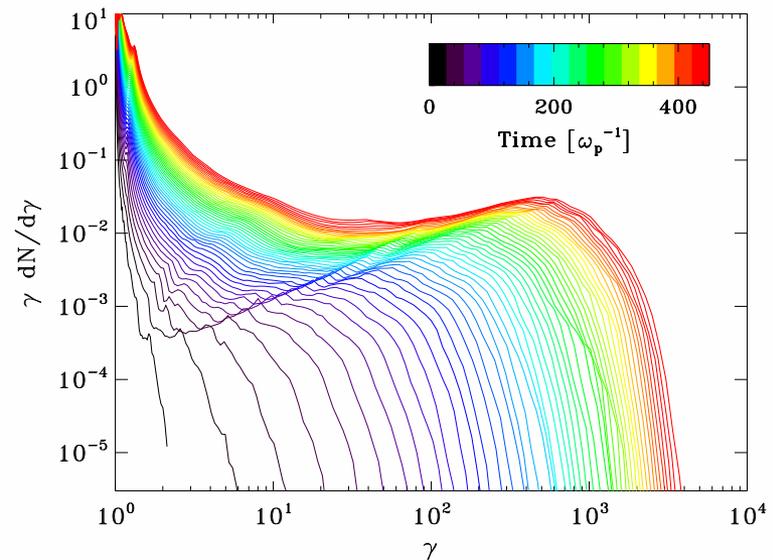
- Very hard spectrum: alpha = -1.
- All the energy is in the high energy particles
- All particles are accelerated (the acceleration region grows with the speed of light)

$$\sigma = \frac{B^2}{4\pi\rho c^2}$$

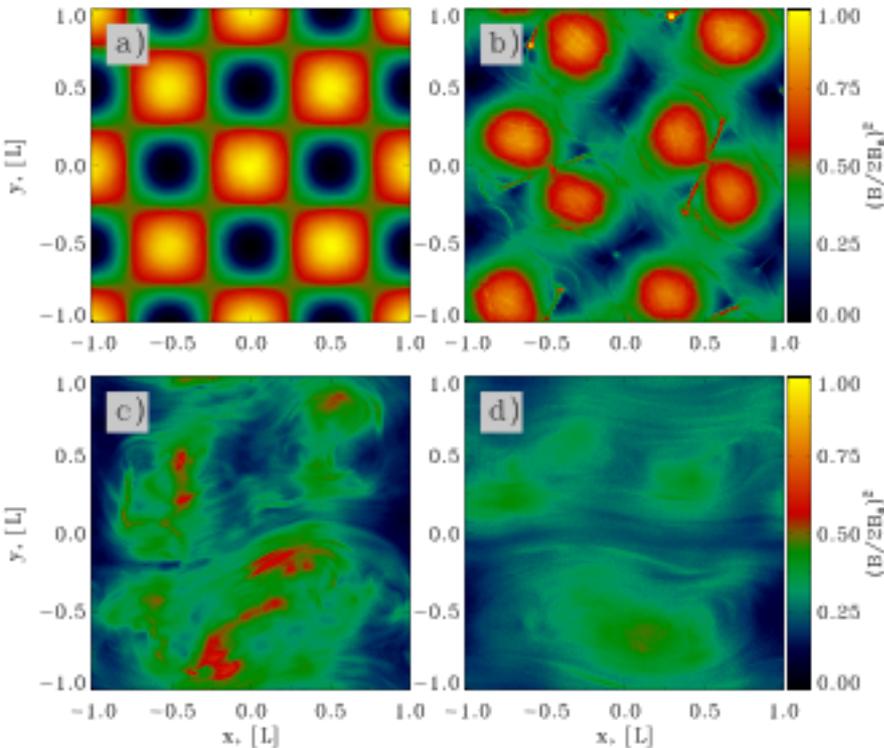
$$\gamma_{max} \leq \sigma$$

- But we need gamma $\sim 10^9$

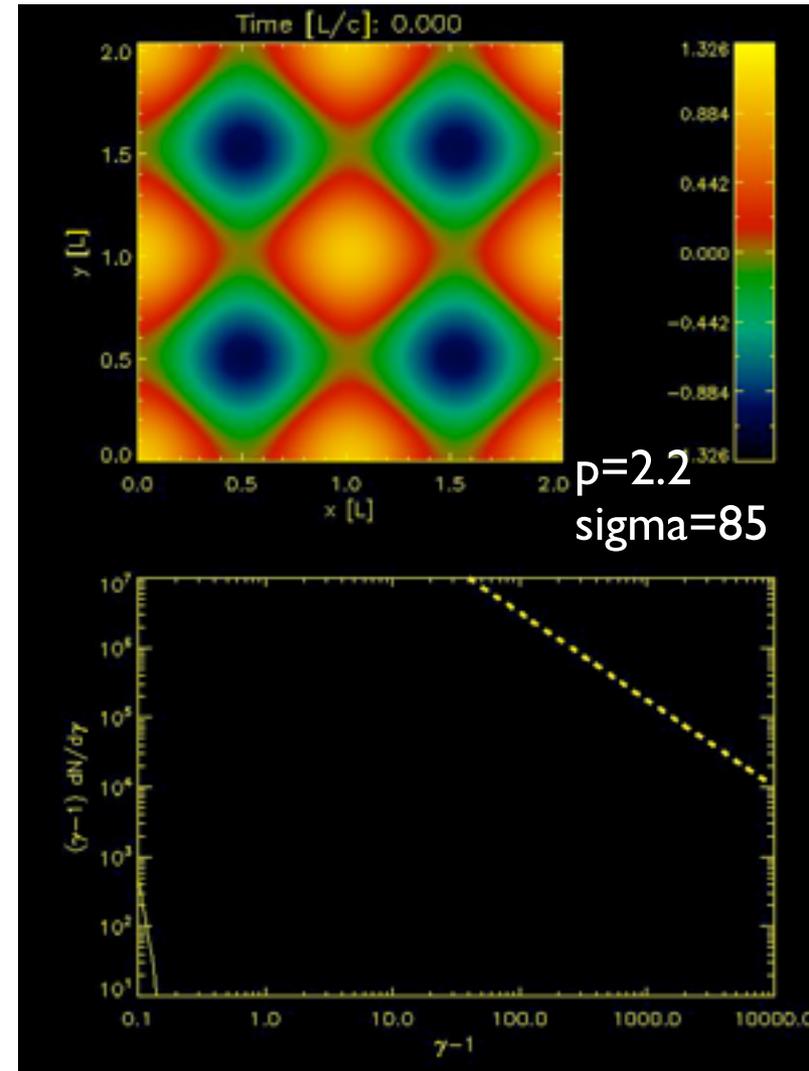
NO



2. Collapse of a system of magnetic islands



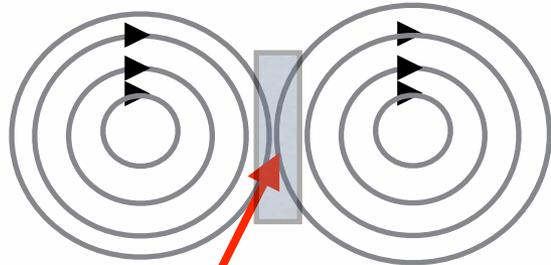
The first panel is at time=5.625, second at 11.25, third at 16.875 and fourth at 22.5



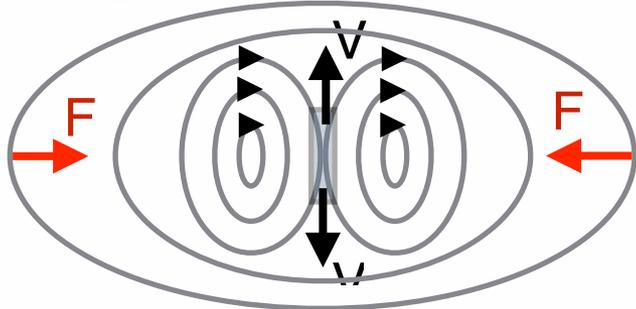
Quasi-stable configuration that destroys itself on light travel times!

- A set of magnetic islands is quasi-stable: Initially it survives for many dynamical times = energy is slowly accumulated
- There is a period of violent instability
 - X-point collapse
 - Merger of magnetic islands
- Large fraction of magnetic energy is dissipated

Island merger: forced reconnection

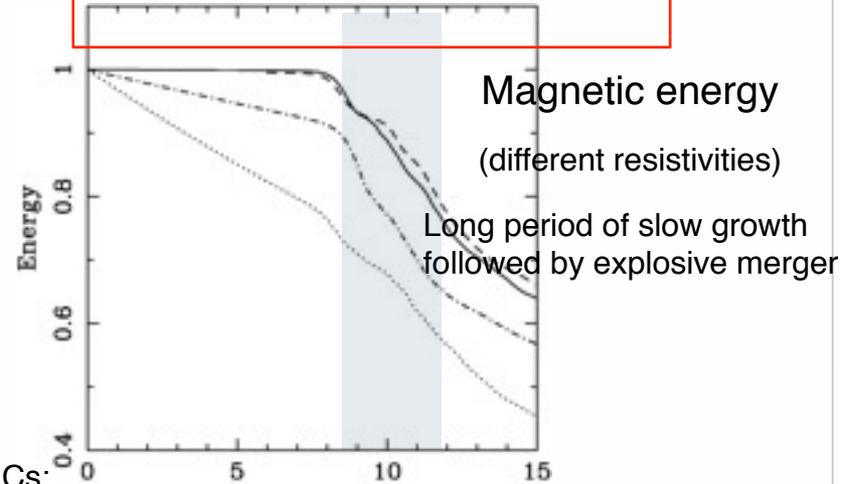


Tearing-like reconnection -> common envelope

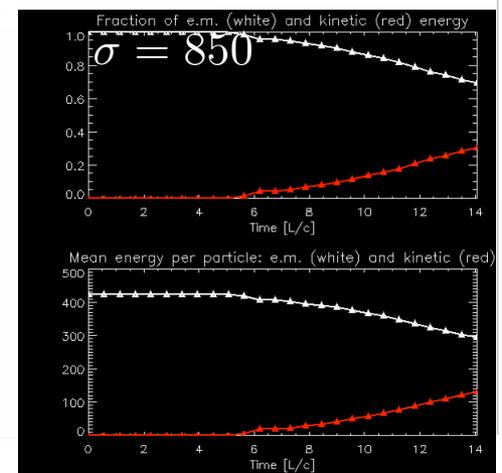
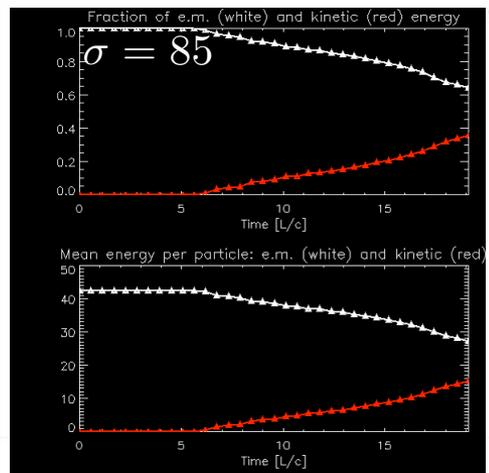


Forced reconnection

50% of magnetic energy in a **whole** volume dissipated on light travel time

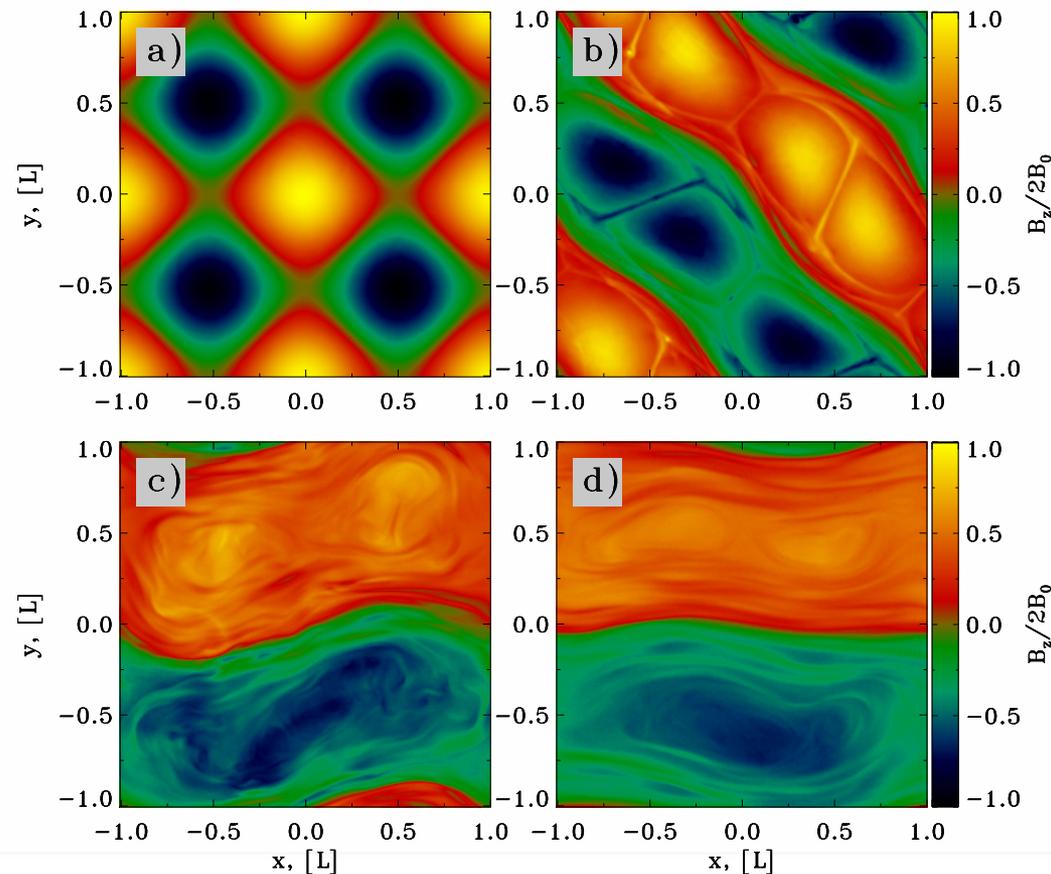


PICs:



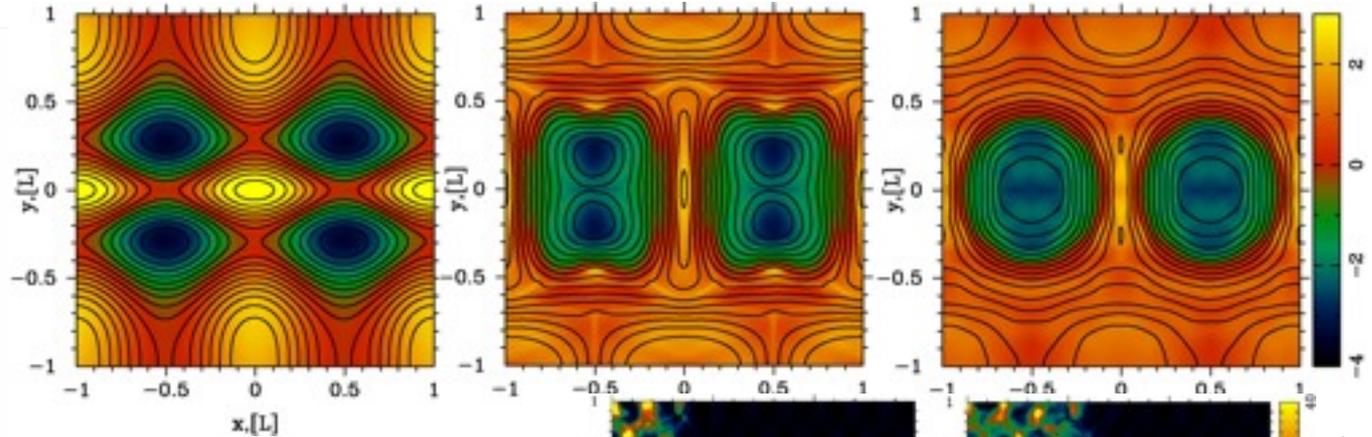
Inverse cascade? Probably not

- Merger of islands into larger ones, up to box size
- Large fraction of magnetic energy ($\sim 50\%$) is dissipated in each step

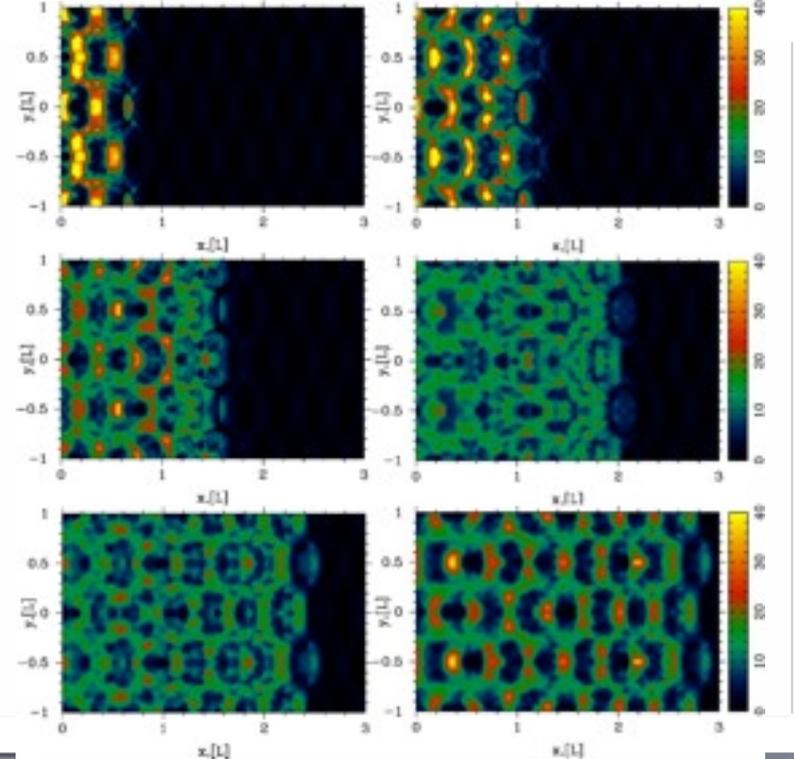


2.b island merger triggered by external perturbation

Stressed magnetic islands:

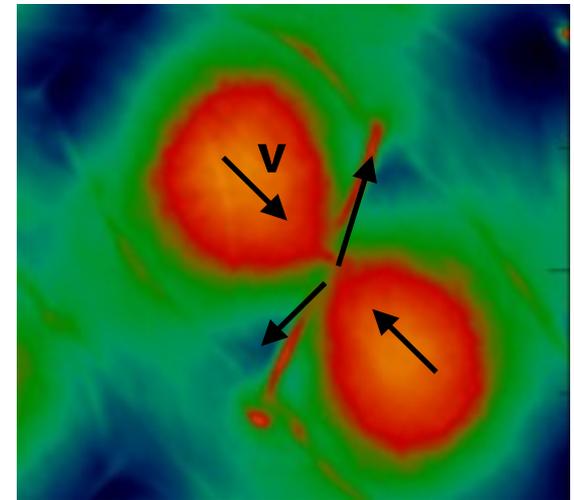
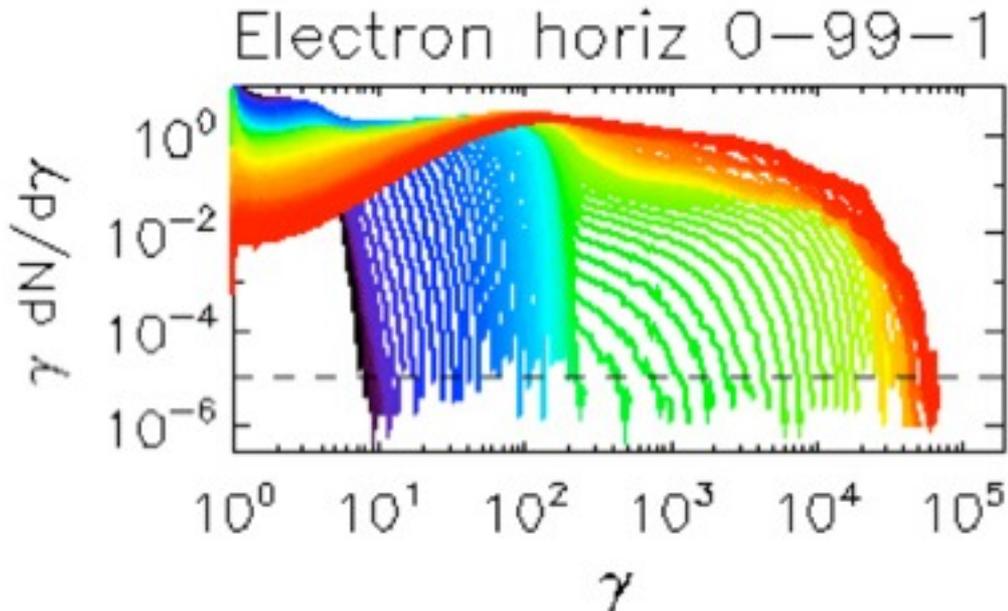


- Two ways to trigger fast reconnection:
 - development of tearing-like mode
 - external compression



Particle acceleration in island merger

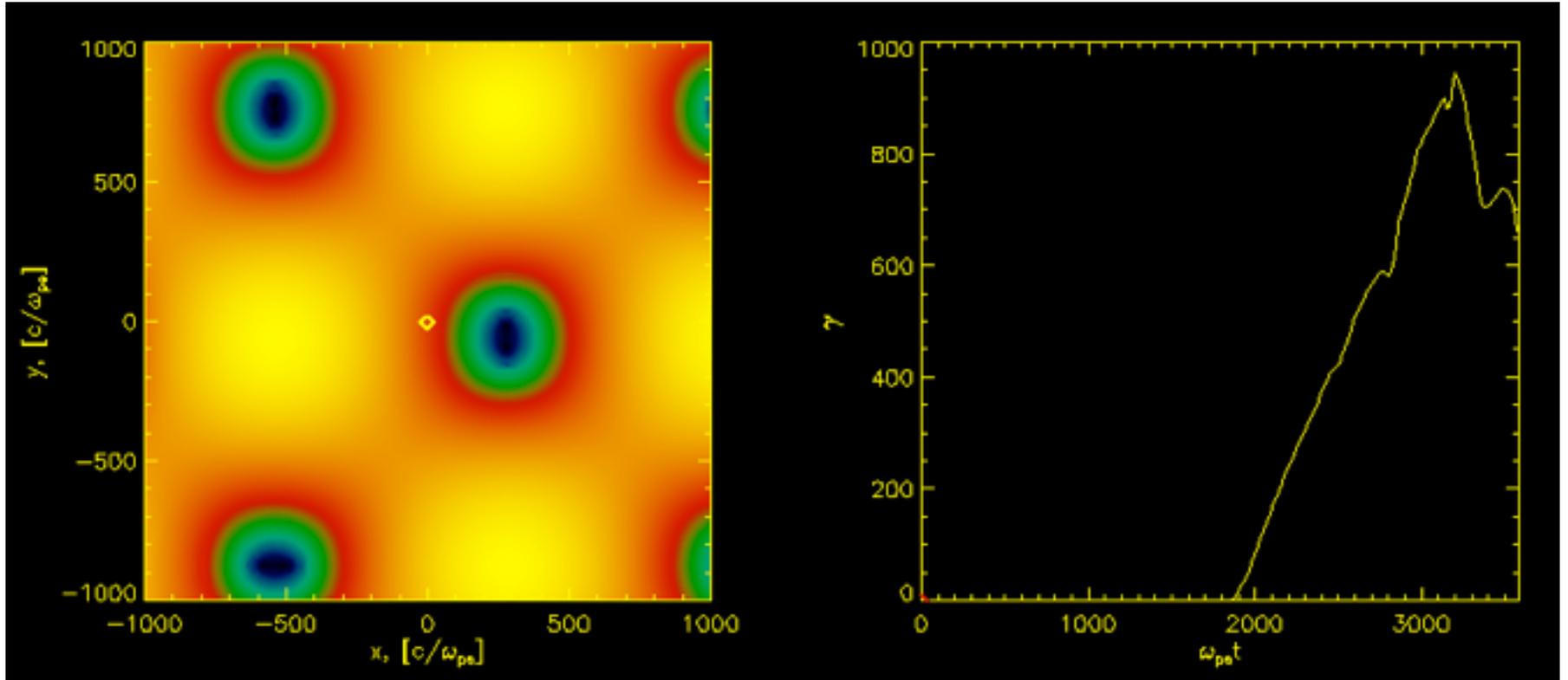
- For $\sigma < 100$ spectrum is soft, few particles are accelerated to $\gamma \gg \sigma$



Sweet-Parker-like picture

Most particles leave via jets, only few chosen one stay accelerated

Particles are accelerated by the reconnecting E-field near X-point

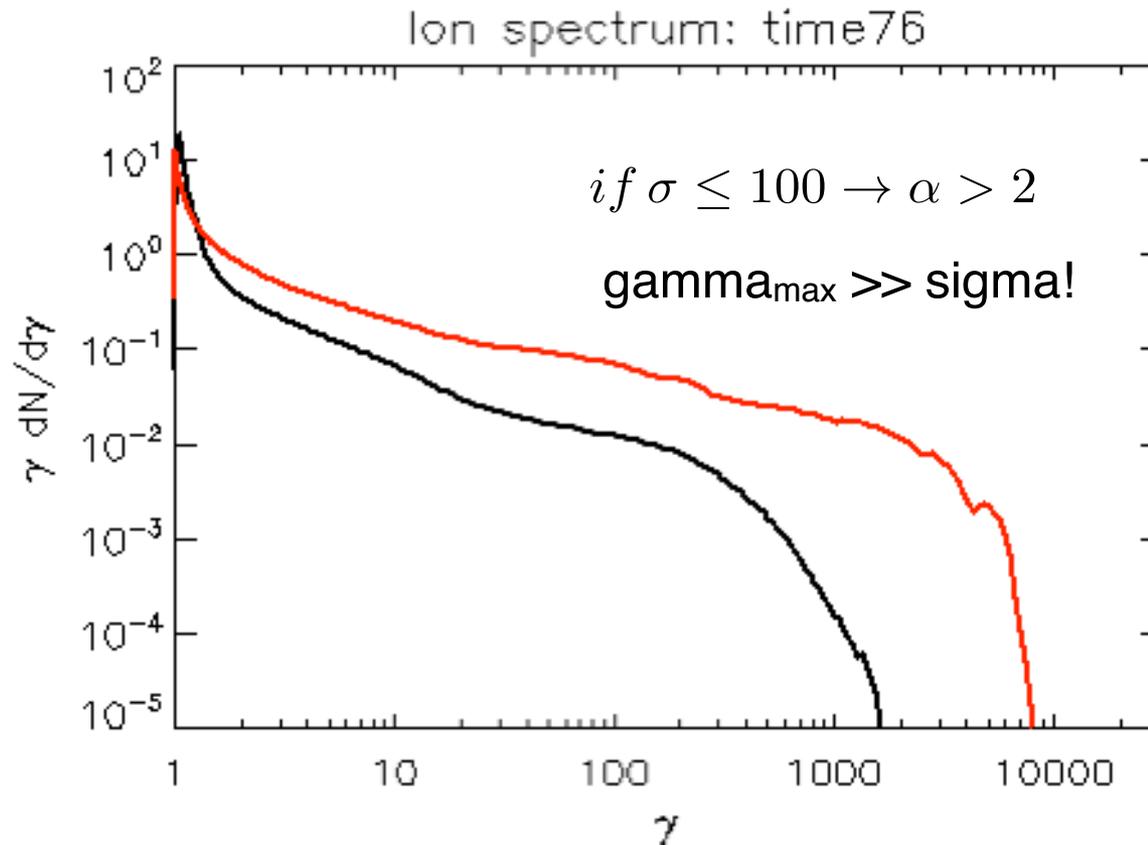


$$E \sim B \propto t$$

$$\epsilon \propto t^2$$

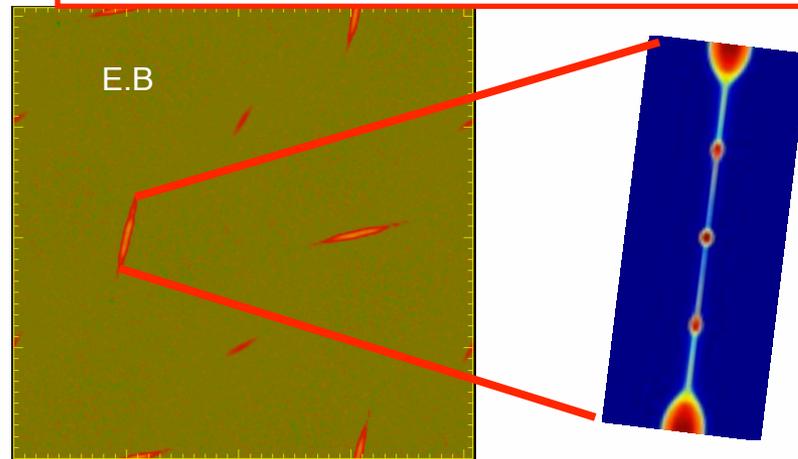
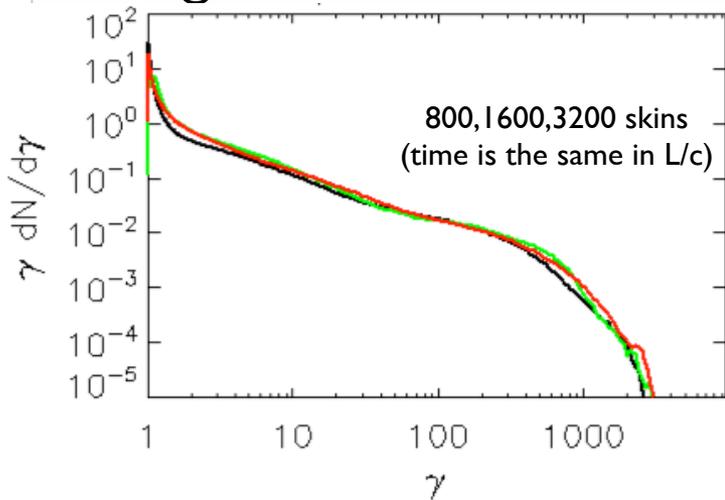
Spectra as functions of sigma

- comparison of spectra between avg sigma=85 and 850
- slope is harder for higher sigma -> running in energy issues



gamma ~ 10⁹?

- Potential available $\Phi \sim BL$
- (just need to collapse at $\sim c$ at scale L)
- It seems, for large L the forced reconnection changes a regime -> island dominated $L > L_{crit}$ - plasmoid instability of current sheet



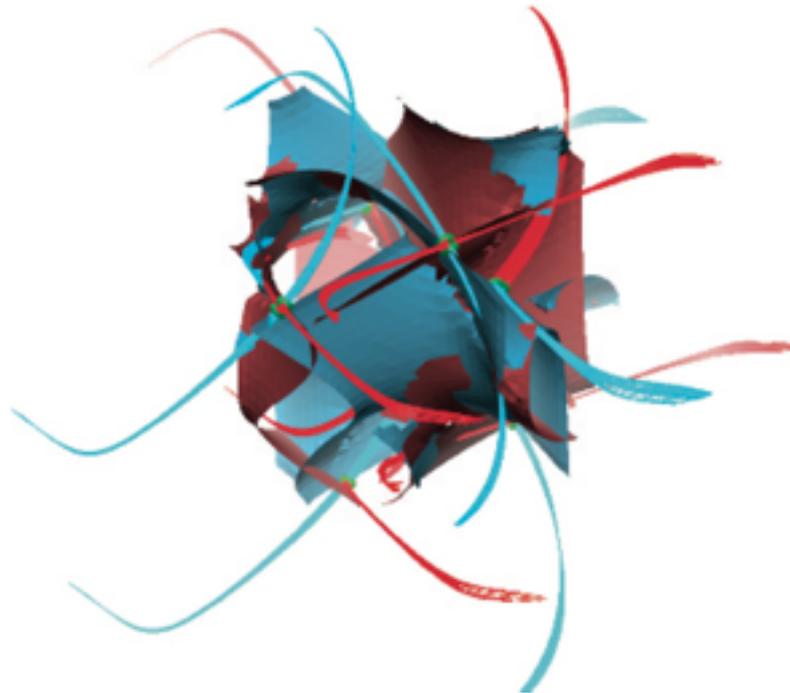
- Acceleration seems to drop down beyond some L
- Optimal regime: $\sigma \sim 100$, $L/\delta \sim 100-1000$

$$\alpha > 2$$

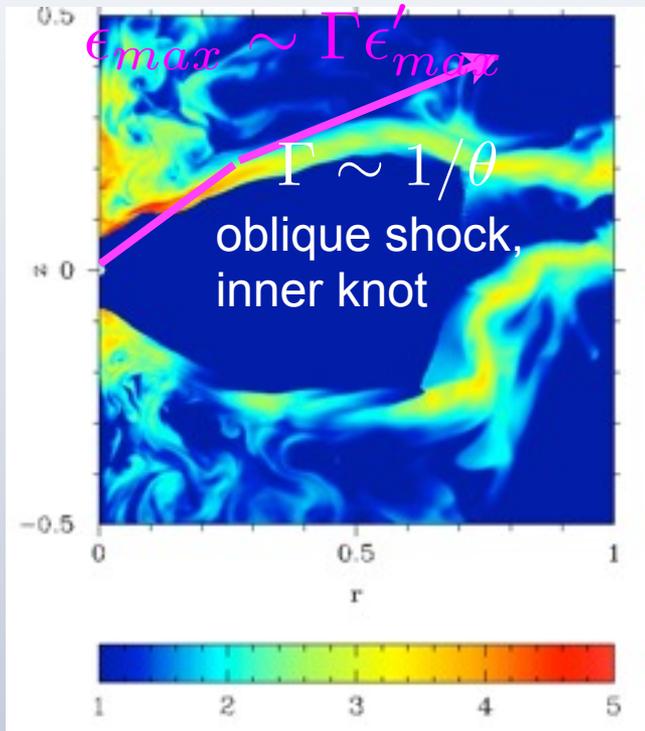
$$E \sim B$$

To do: full 3D ABC flow

- Plasmoid instability can be stabilized by weak guiding field
- (Not too much)
- Non-zero guiding field at X-point



Where in Crab and AGNs?



Komissarov & Lyutikov, 2011



- Dissipation zone @ $r < 1\text{pc}$
 (approximately where $B'_\phi \sim B'_p$)

Conclusion

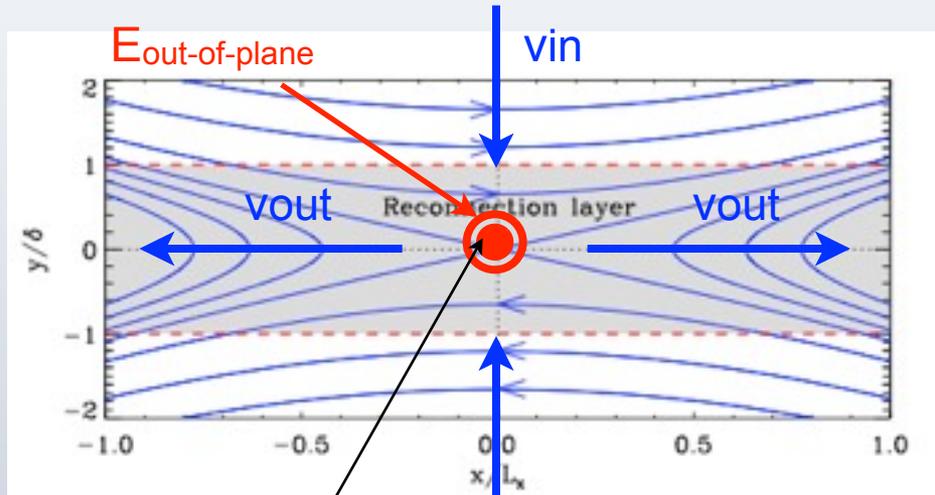
Reconnection in magnetically-dominated plasma

- **can proceed explosively**
- **efficient particle acceleration**
- **is an important, perhaps dominant for some phenomena, mechanism of particle acceleration in high energy sources.**

Best case scenario for Crab

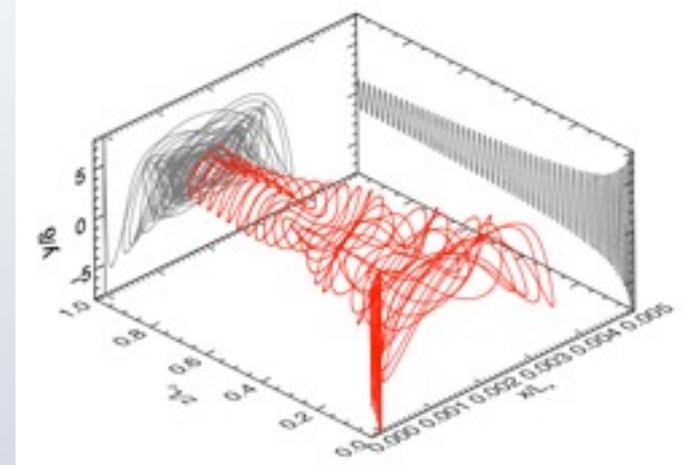
- Pulsar produces $\sigma_w \sim 10^6$ (polar angle-dependent)
- Partial dissipation
 $\sigma_{post-shock} \sim 10^2$, $\gamma_{post-shock} \sim 10^4$
- Explosive collapse
 $\gamma_{flare} = 100\sigma_{post-shock}\gamma_{post-shock} \sim 10^8$

Compare with Colorado group



$$B_{plane}=0$$

Uzdensky et al.: Accelerate in a region where B is small, with $E > B$, emit where B is large.



- Tearing mode instability of current sheet.
- All scales related to δ - smallish potential @ skin
- Large island merger: inflow velocities $\ll c$
- All particles accelerated ($\gamma < \sigma$)

