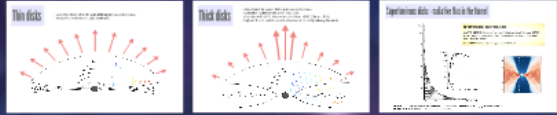


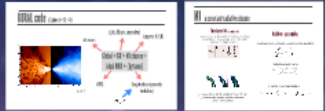
Radiative jets / jets in thin disks

Cracow Aleksander Sądowski, MIT 4/20/2015

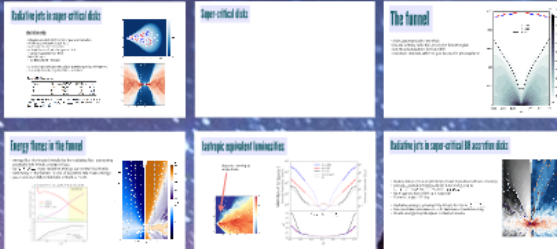
Radiation from accretion disks



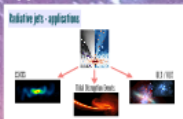
KORAL



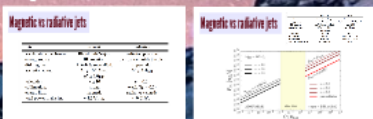
The power of radiative jets



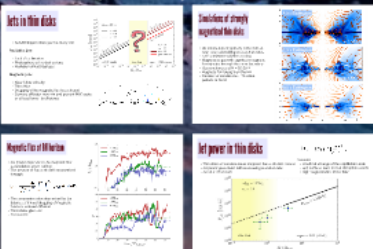
Applications



Magnetic vs radiative



Thin disks (preliminary)



Radiative jets / jets in thin disks

Cracow

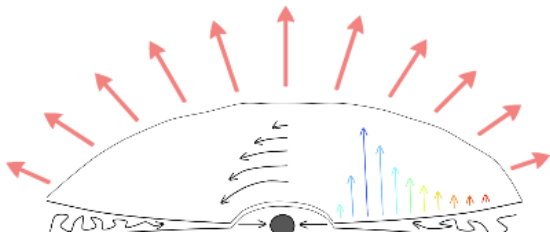
Aleksander Sądowski, MIT

4/20/2015

Radiation from accretion disks

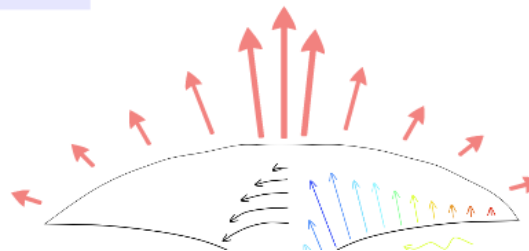
Thin disks

- accretion disks thin for sub-Eddington accretion rates
- integrated radiation roughly isotropic



Thick disks

- disks thick for super-Eddington accretion rates
- radiation collimated by the disk walls
- (Lynden-Bell 1978, Abramowicz & Piran 1980, Sikora 1981)
- highest flux of radiation (and observed luminosity) along the axis



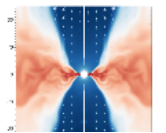
Superluminous disks - radiative flux in the funnel



Superluminous accretion discs

Marck Sikora *Institute of Astronomy, Madingley Road, Cambridge CB3 0HA*
and *K. Copernicus Astronomical Center, Polish Academy of Sciences, Bartoška 18,*
00-776 Warszawa, Poland

Received 1980 November 25; in original form 1980 July 4



NAIATIVE JGJS /

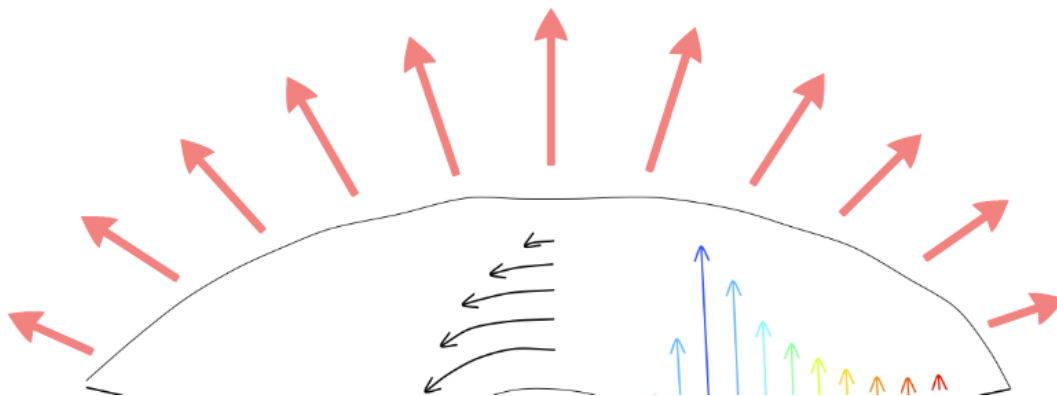
Cracow

Aleksander S

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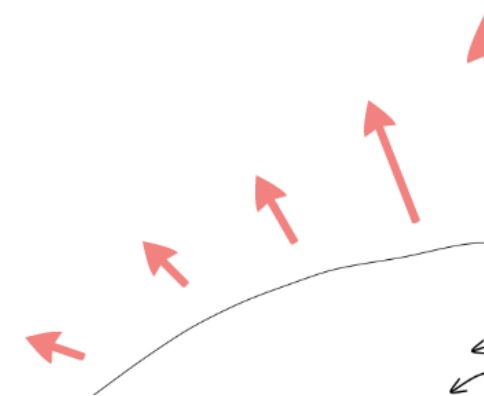
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- integrated radiation roughly **isotropic**



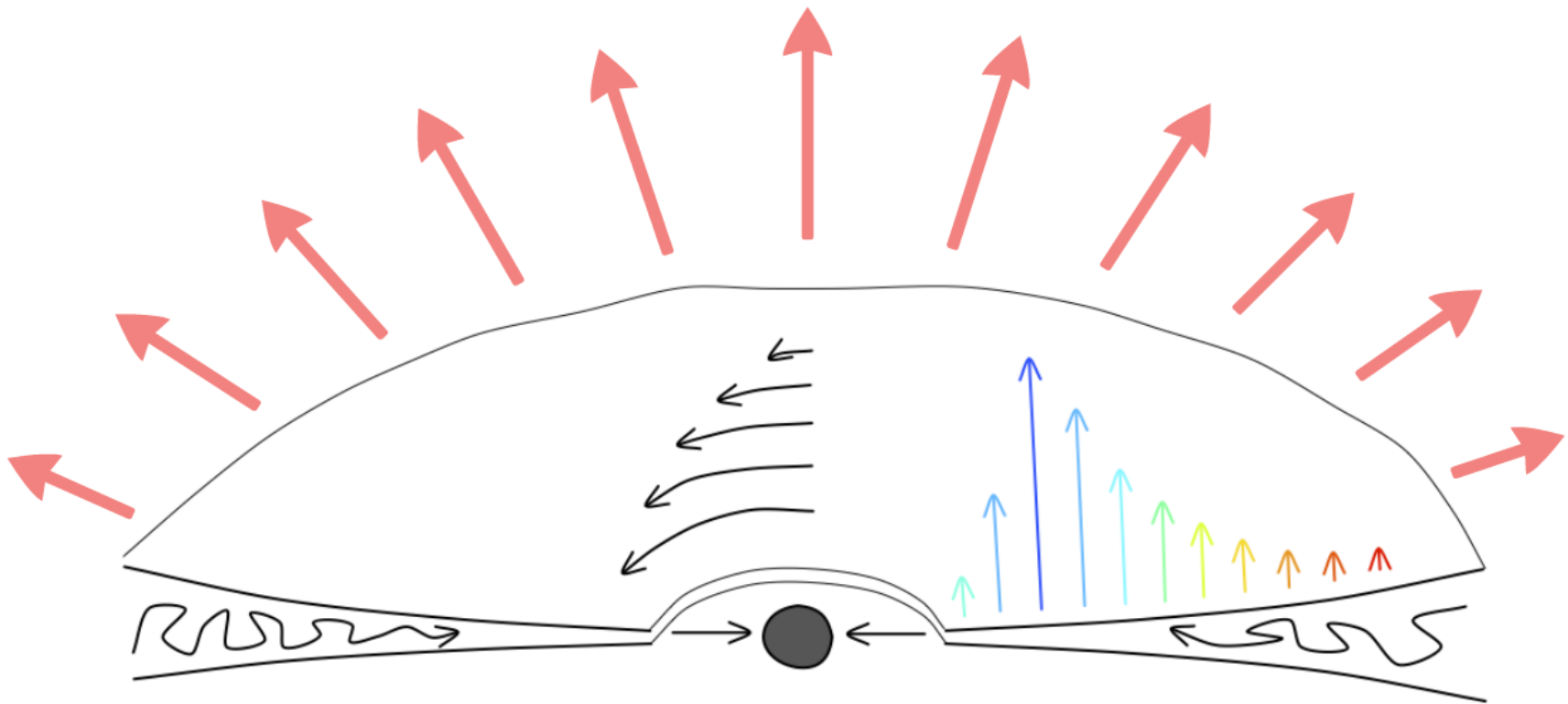
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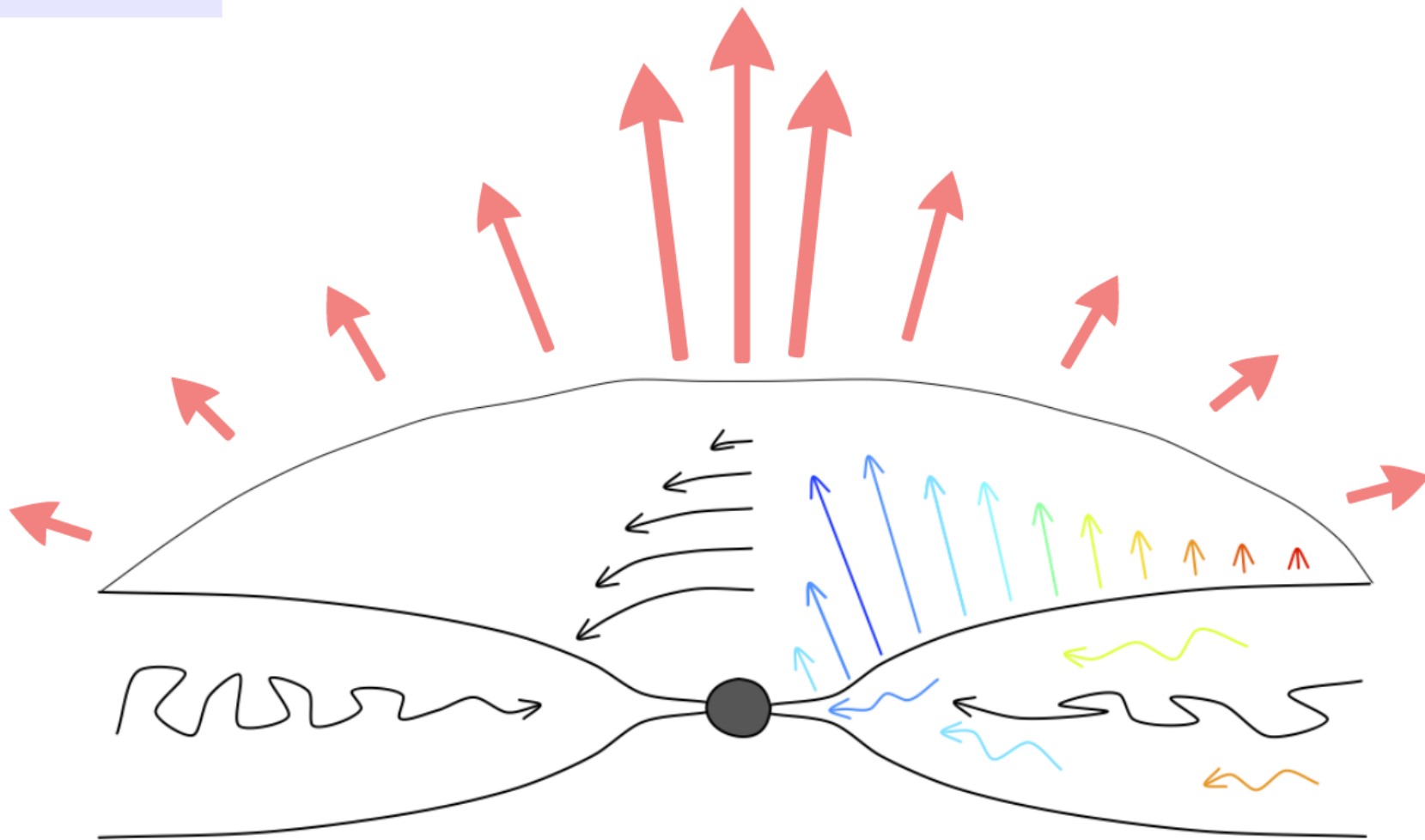
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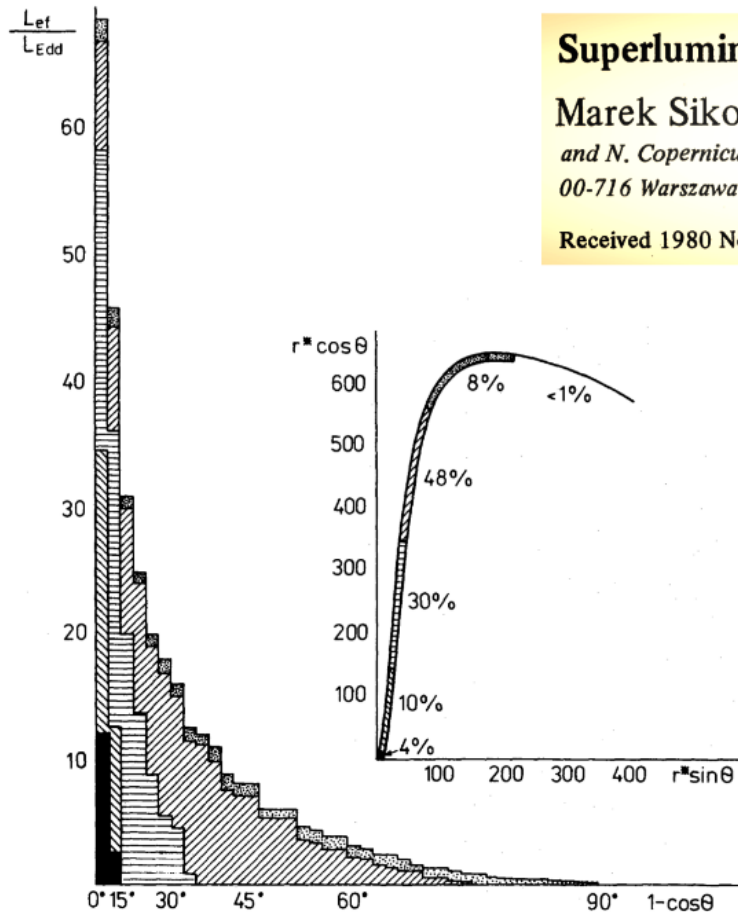


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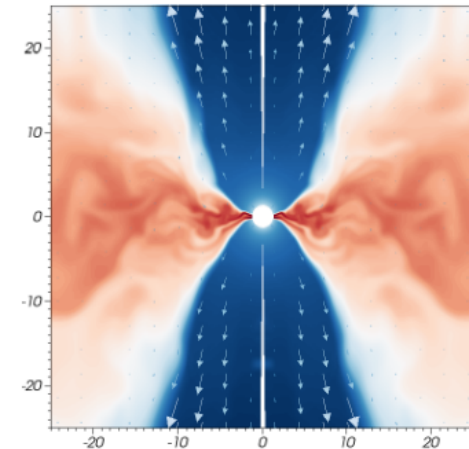
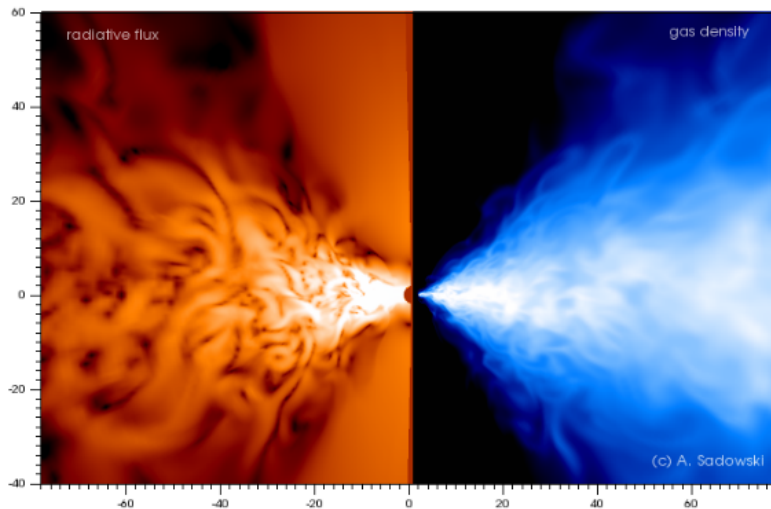


Figure 5. The distributions of the luminosity at infinity as a function of $\cos \theta_{B-L}$. Contributions of different parts of disc to this distribution are also marked.

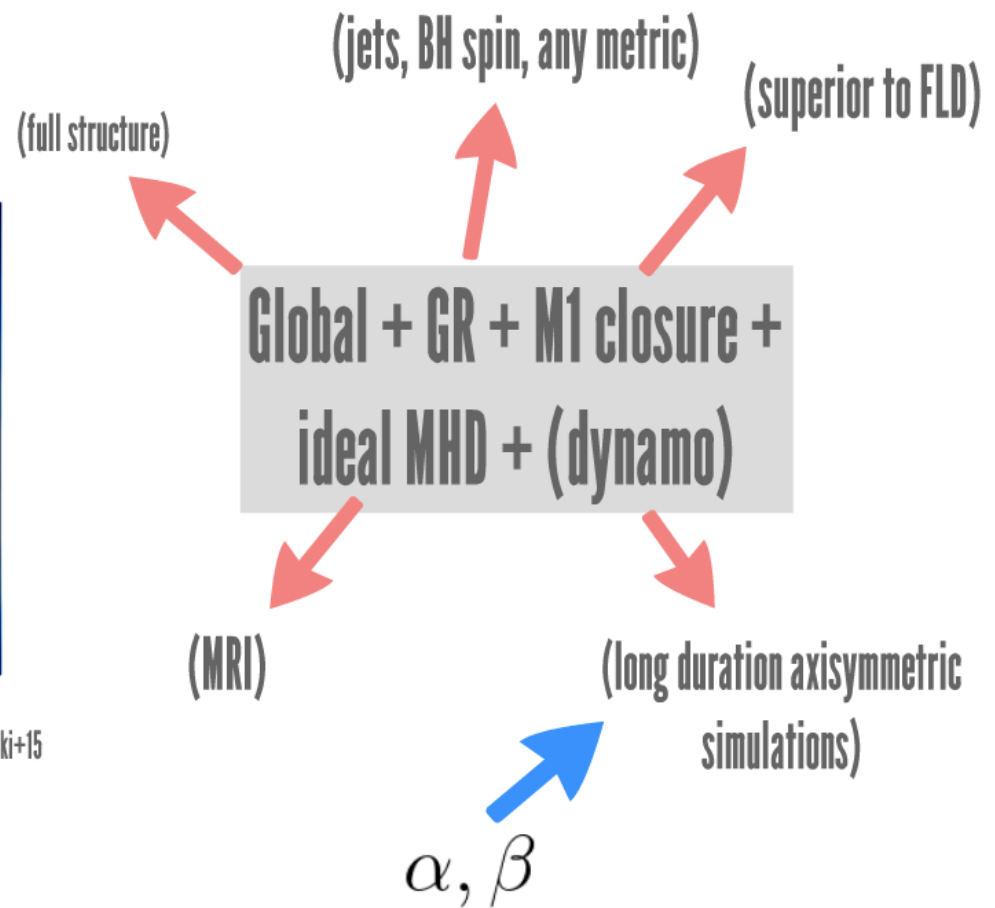
KORAL



KORAL code (Sądowski+13,+14)



Sądowski+15

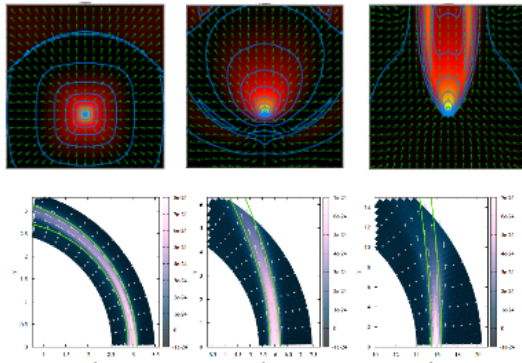


M1 a covariant radiative closure

The closure: M1 (En. density & Flux)

There is a frame where flux vanishes and where the radiation stress-energy tensor has only symmetric diagonal terms

$$R_{\text{rf}}^{ij} = \begin{bmatrix} E_{\text{rf}} & 0 & 0 & 0 \\ 0 & \frac{1}{3}E_{\text{rf}} & 0 & 0 \\ 0 & 0 & \frac{1}{3}E_{\text{rf}} & 0 \\ 0 & 0 & 0 & \frac{1}{3}E_{\text{rf}} \end{bmatrix}$$



- 👍 reasonable, local, simple in GR, cheap
- 👍 conserves energy and momentum
- 👎 far from perfect

Radiation - gas coupling

Conservation of mass, energy & momentum:

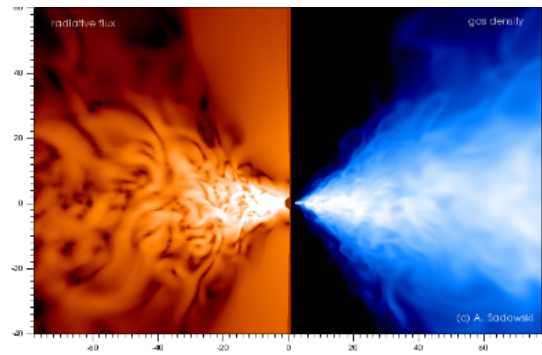
$$\begin{aligned} (\rho u^\mu)_{;\mu} &= 0 \\ (T_\nu^\mu)_{;\mu} &= G_\nu \\ (R_\nu^\mu)_{;\mu} &= -G_\nu \end{aligned}$$

Radiative four-force:

$$\hat{G}^\mu = \begin{bmatrix} \rho \kappa_{\text{abs}} (\hat{E} - 4\pi B) \\ \rho (\kappa_{\text{abs}} + \kappa_{\text{es}}) \hat{F}^i \end{bmatrix}$$

Thermal Comptonization:

$$\hat{G}_{\text{Compt}}^t = \rho \kappa_{\text{es}} \hat{E} \frac{4k}{m_e} (\hat{T}_{\text{rad}} - \hat{T}_{\text{gas}}) \left(1 + \frac{4k}{m_e} \hat{T}_{\text{gas}} \right)$$



Sądowski+15

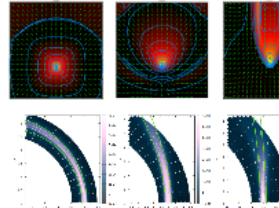
Global + GR + M1 closure +
ideal MHD + (dynamo)

(MRI)

(long duration axisymmetric
simulations)

α, β

$$R_{rt}^j = \begin{bmatrix} E_{rt} & 0 & 0 & 0 \\ 0 & \frac{1}{3}E_{rt} & 0 & 0 \\ 0 & 0 & \frac{1}{3}E_{rt} & 0 \\ 0 & 0 & 0 & \frac{1}{3}E_{rt} \end{bmatrix}$$



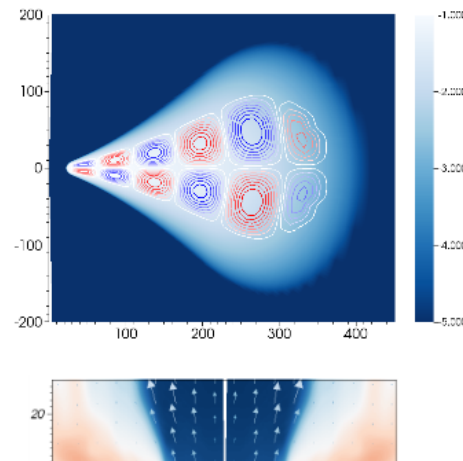
- 👉 reasonable, local, simple in GR
- 👉 conserves energy and momentum
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The power of radiative jets

Radiative jets in super-critical disks

simulation setup

- initiated as equilibrium torus of gas and radiation
- mildly supermassive black hole
- wide range of accretion rates
- multiple loops of initial magnetic field
 - weak magnetic flux limit
- zero BH spin
 - no Blandford - Znajek
- to study how efficient the polar outflow can be without BZ
- first study based on global GR simulations



Super-critical d

Time=0

60

radiati

40

20

0

Radiative jets in super-critical disks

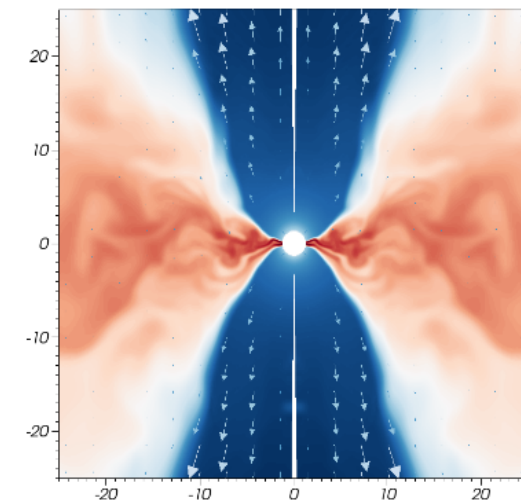
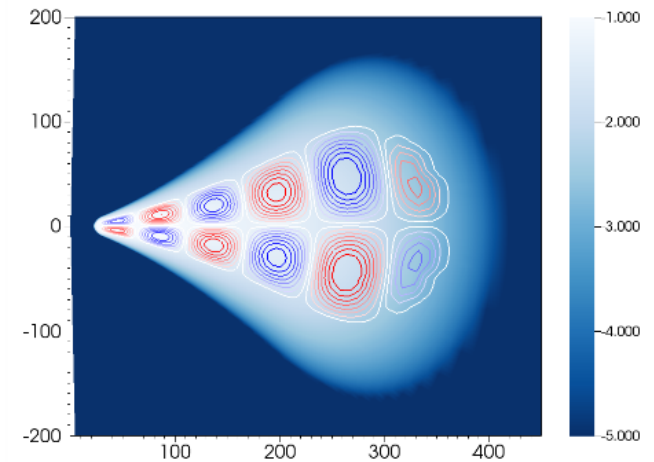
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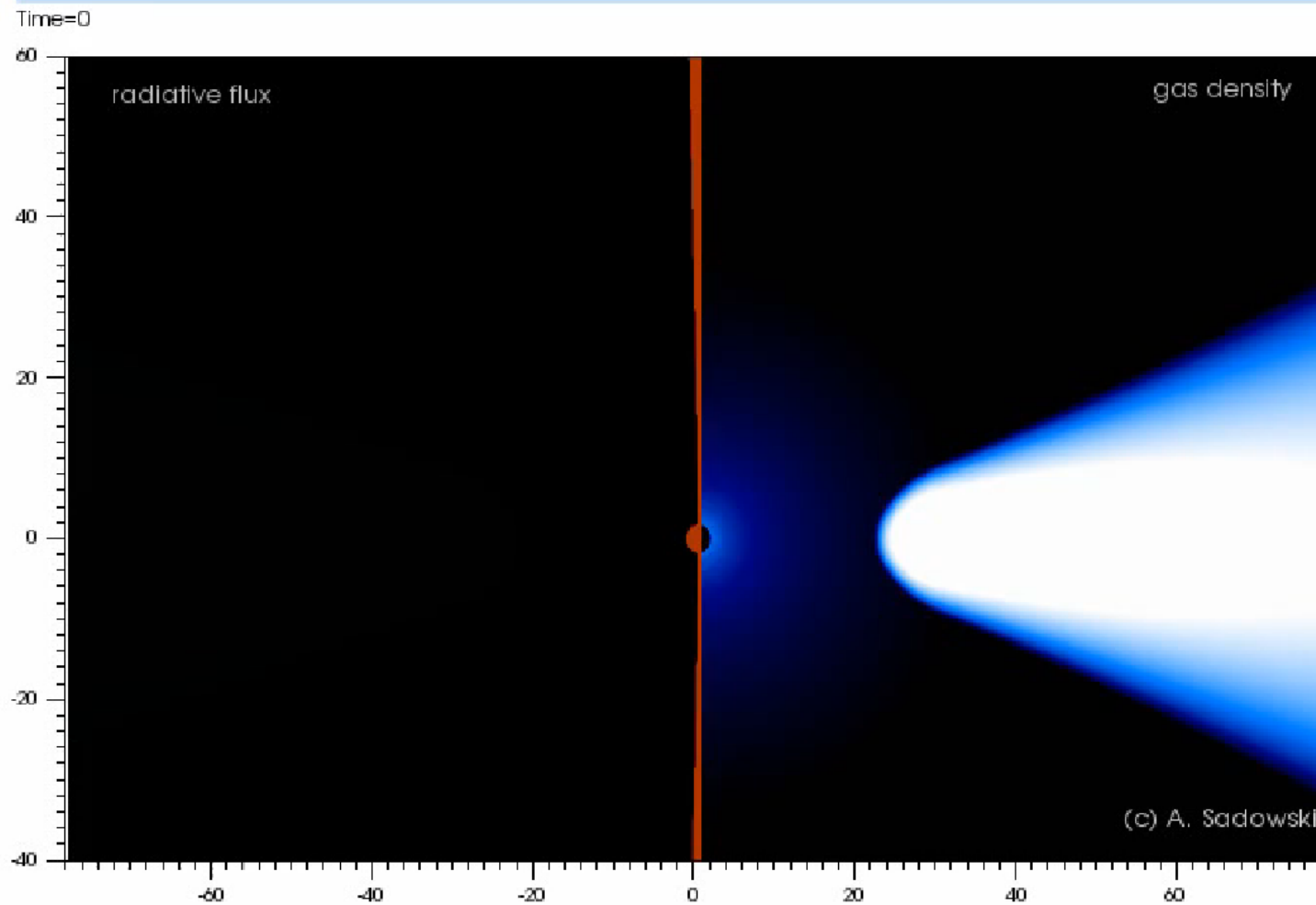
Table 1. Model parameters

Name	\mathcal{K}	$t_{\max}/(GM/c^3)$	$\langle \dot{M} \rangle / \dot{M}_{\text{Edd}}$	η
A	10.0	200,000	45	5.3%
B	5.0	170,000	310	4.0%
C	1.0	4800	4.6%	

Other parameters: $M_{\text{BH}} = 3 \times 10^5 M_{\odot}$, $a_* = 0.0$, resolution: 304x192, $R_{\min} = 1.85$, $R_{\max} = 10000$, $R_0 = 1.0$, $H_0 = 0.6$, $\beta_{\max} = 10.0$. All definitions from Sądowski et al. (2014b).

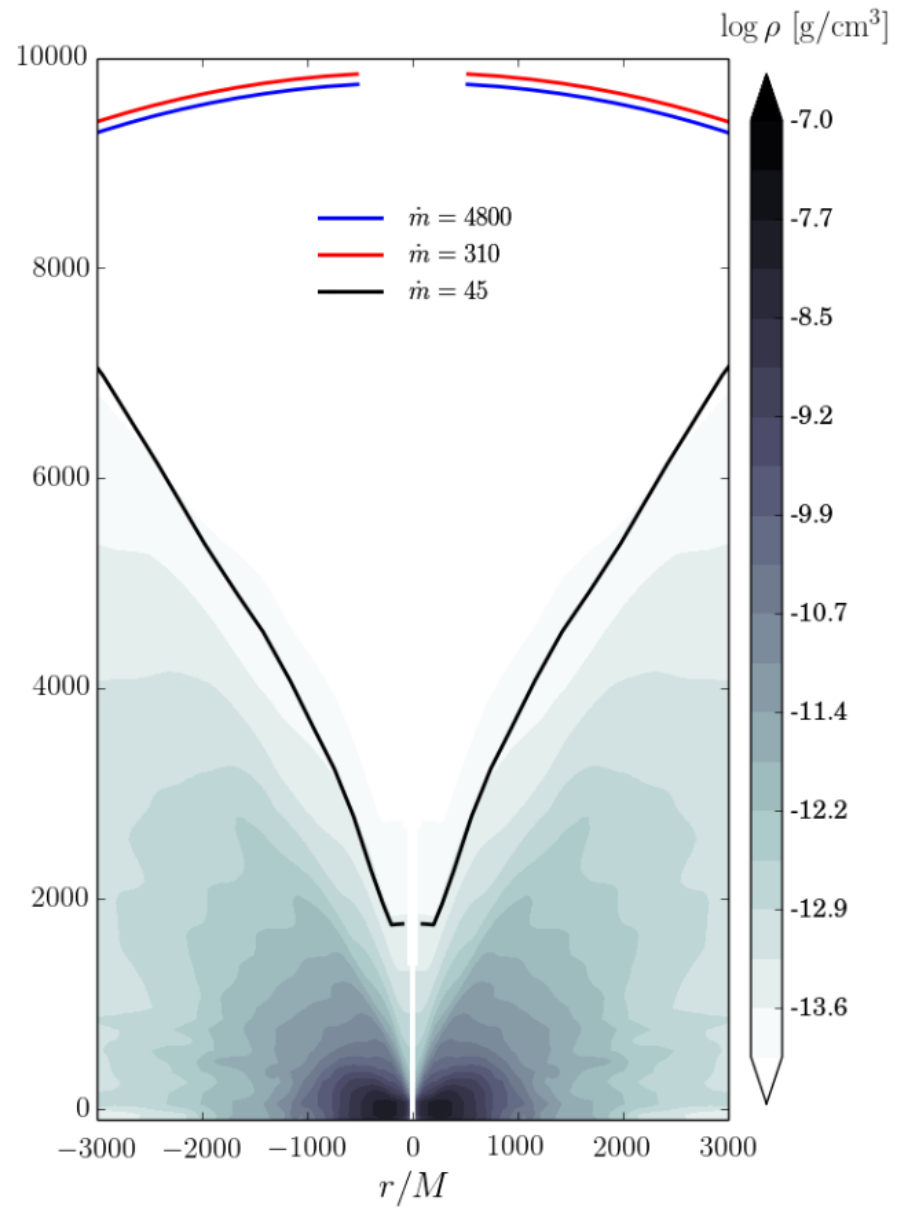


Super-critical disks



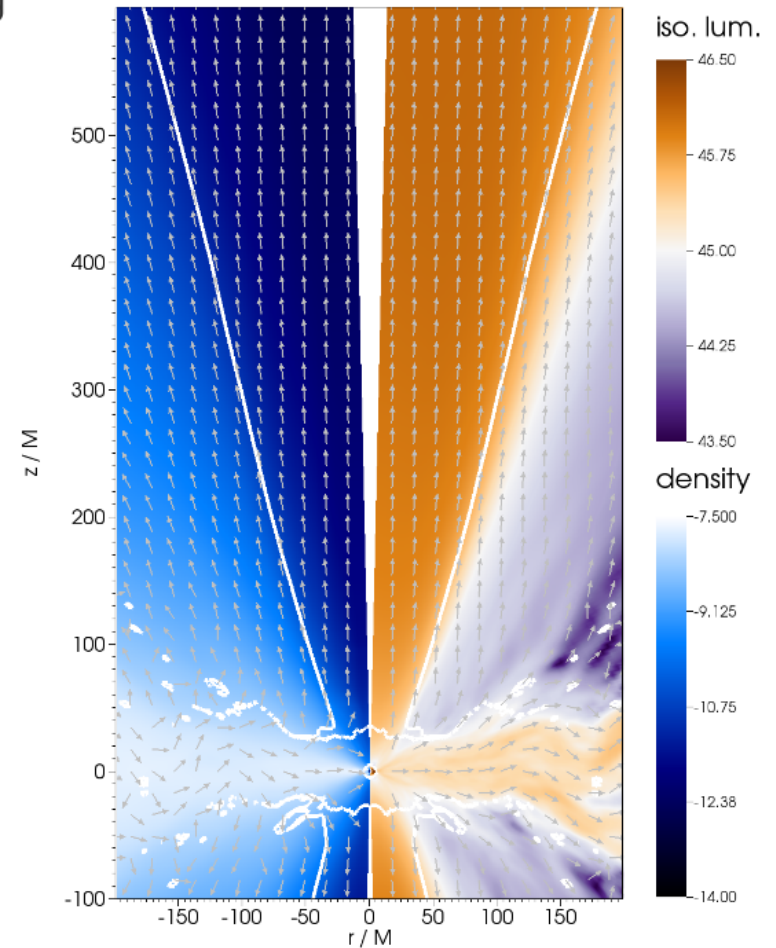
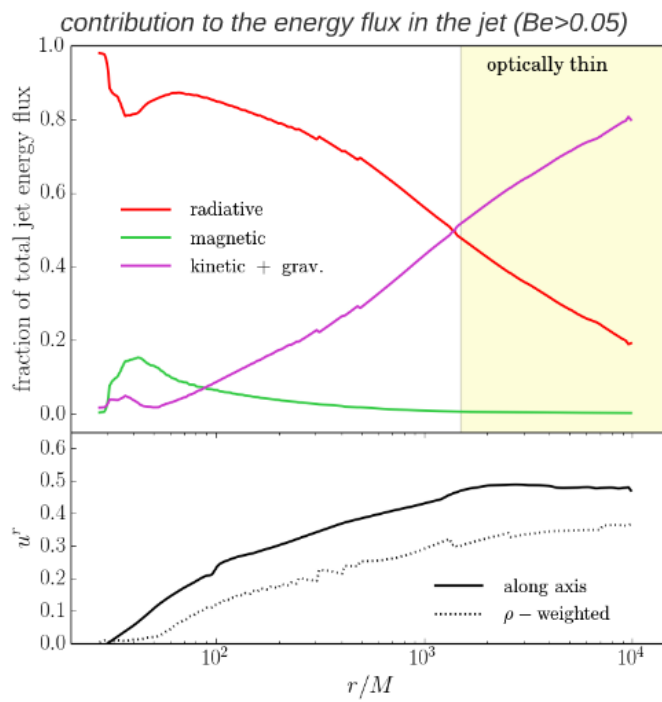
The funnel

- disks geometrically very thick
- lowest density near the axis in the funnel region
- but the photosphere far from BH!
- radiation interacts with the gas below the photosphere



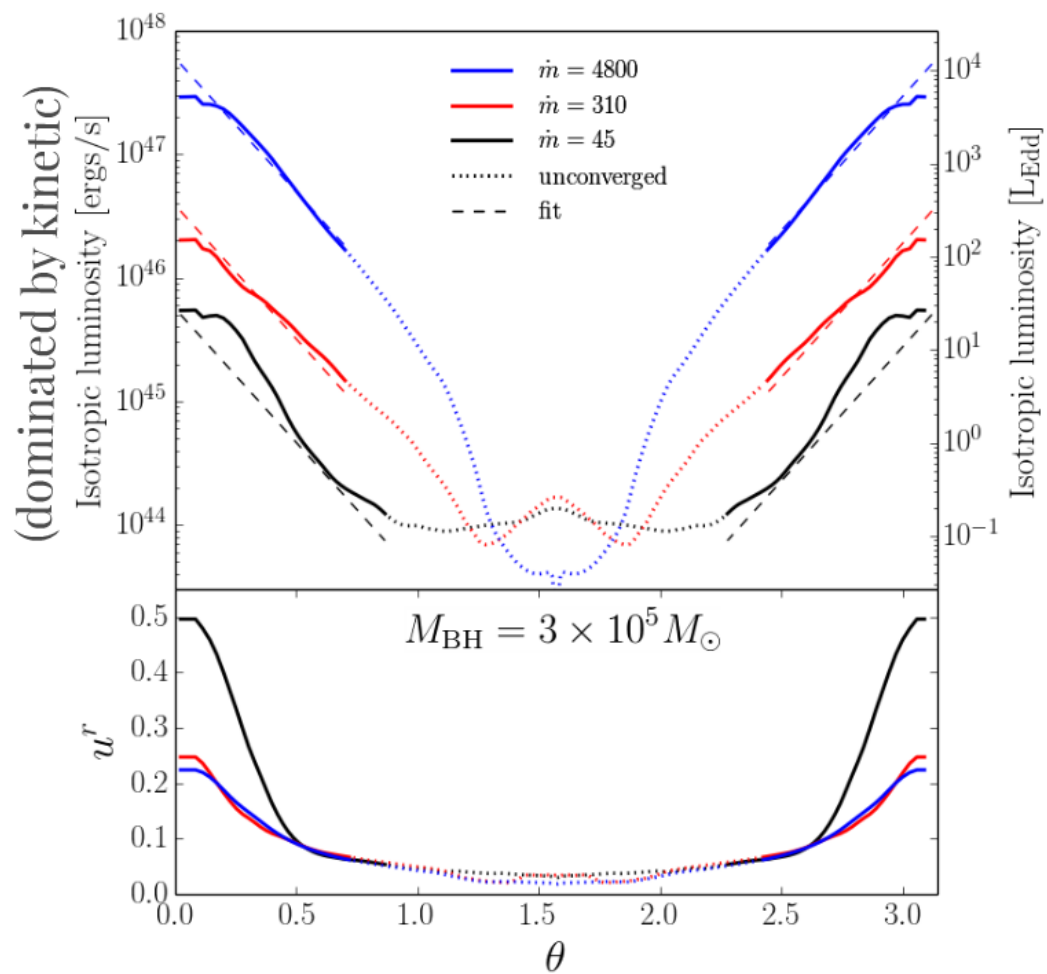
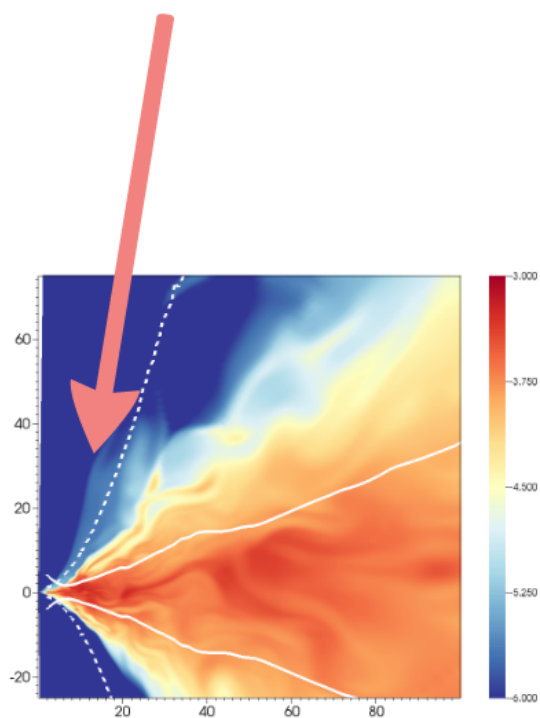
Energy fluxes in the funnel

- energy flux dominated initially by the radiative flux, converting gradually into kinetic energy of gas
- for $\dot{M} \gtrsim 10\dot{M}_{\text{Edd}}$ most radiative energy converted into kinetic
- luminosity in the funnel $\sim 1\text{-}2\%$ of accreted rest mass energy
- gas reaches mildly-relativistic velocities $\sim 0.3c$



Isotropic equivalent luminosities

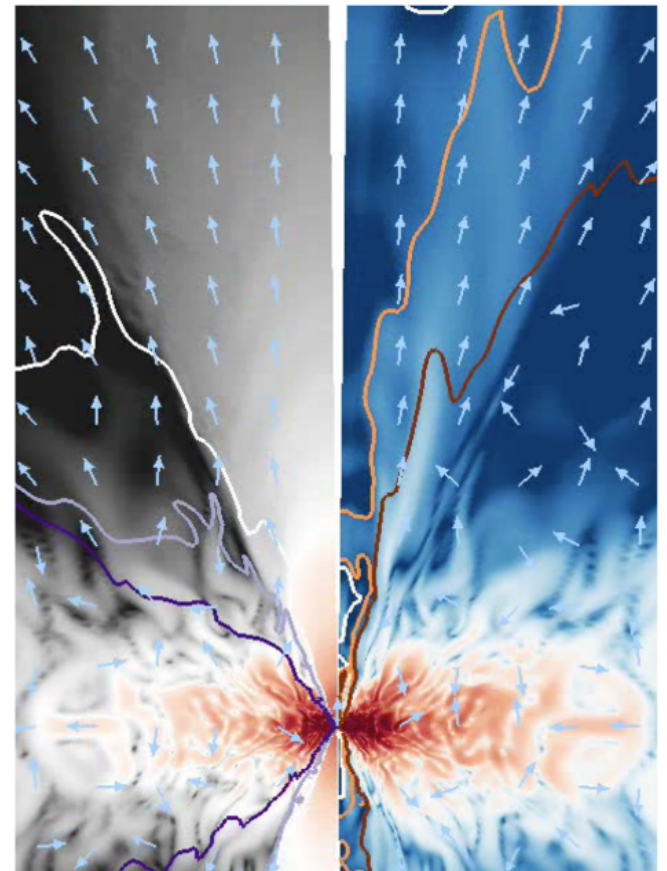
observer looking at angle theta

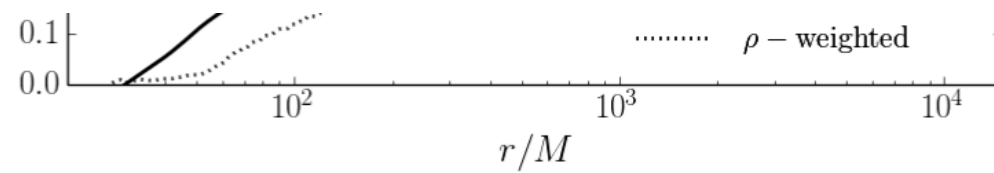


Radiative jets in super-critical BH accretion disks

- Super-critical accretion produces powerful jet-like outflows of energy
- Isotropic equivalent luminosity (in total energy) up to $L_{\text{iso}} \lesssim 10^{48}$ erg/s for $10^6 M_{\odot}$ and $1000 M_{\text{Edd}}$
- No magnetic flux or BH spin required!
- Opening angle ~ 15 deg

- Radiative energy converted into kinetic flux for $\dot{M} \gtrsim 10\dot{M}_{\text{Edd}}$
- Gas velocities saturates at $\sim 0.3c$ because of radiative drag
- Kinetic energy may dissipate in internal shocks

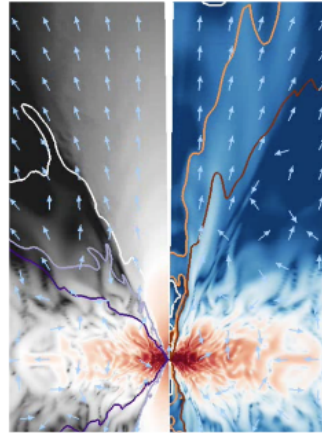




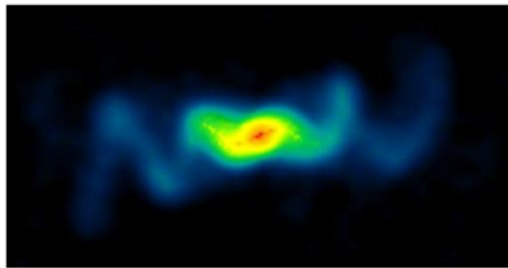
Applications

Radiative jets - applications

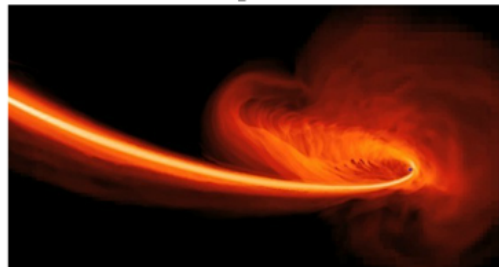
Radiative jets - applications



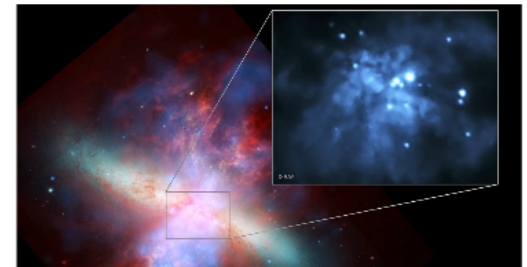
SS433



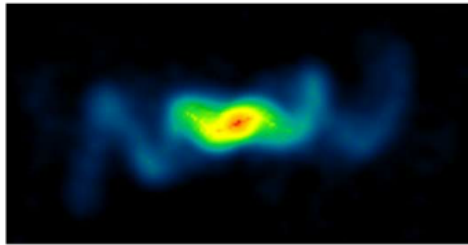
Tidal Disruption Events



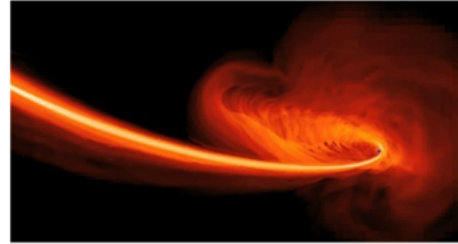
ULX / HLX



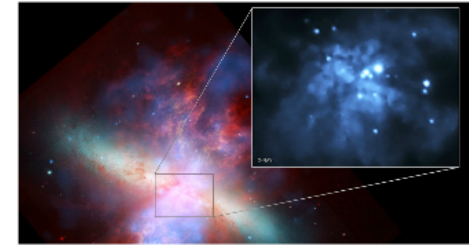
SS433



Tidal Disruption Events



ULX / HLX



Magnetic vs radiative

Magnetic vs radiative jets

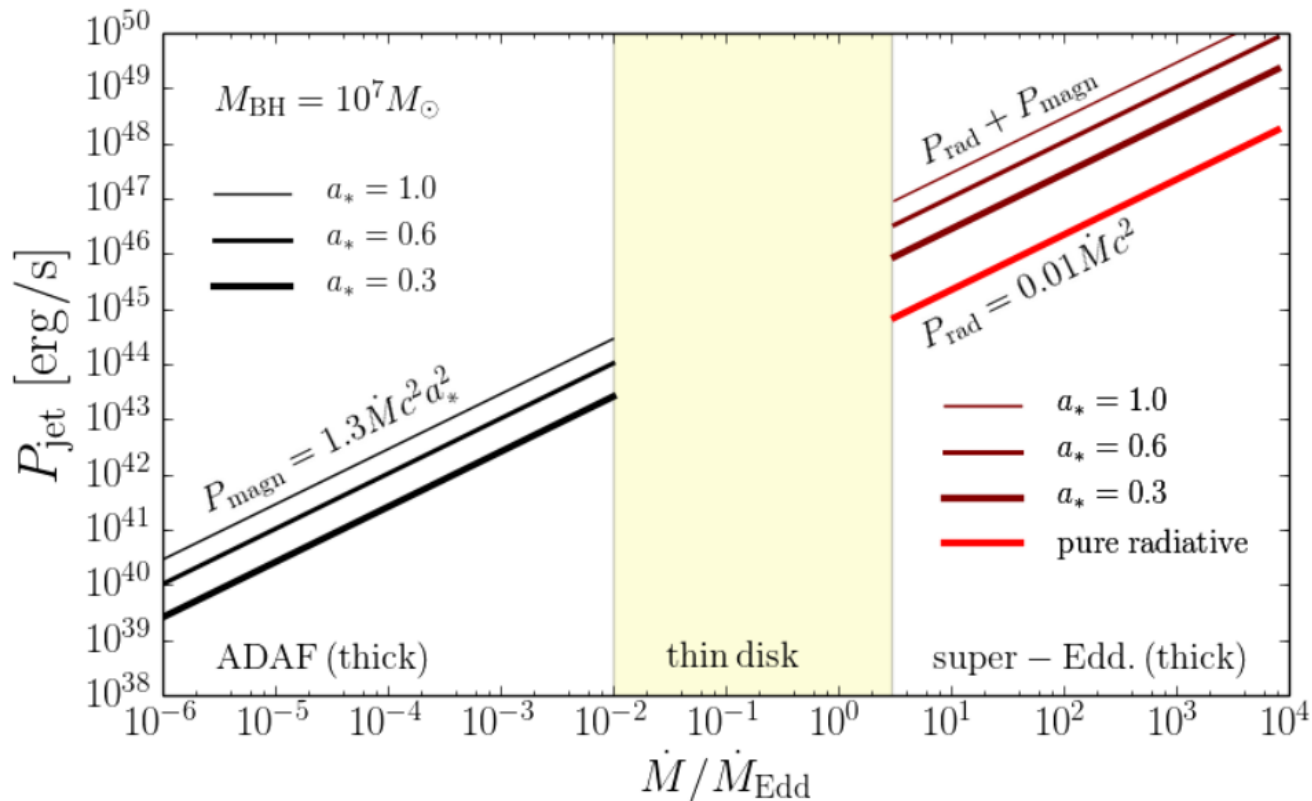
Jets:	magnetic	radiative
acceleration mechanism:	Blandford-Znajek	radiation pressure

Magnetic vs radiative jets

Jets:	magnetic	radiative
acceleration mechanism:	Blandford-Znajek	radiation pressure
energy source:	BH rotation	dissipation inside the disk
disk regime:	ADAF & super-Edd.	super-Edd.
accretion rates:	$\dot{M} \lesssim 10^{-2} \dot{M}_{\text{Edd}}$ $\dot{M} \gtrsim 3 \dot{M}_{\text{Edd}}$	$\dot{M} \gtrsim 3 \dot{M}_{\text{Edd}}$
velocities:	$\gamma \gtrsim 10$	$v = 0.3c$
collimation:	strong	weak ($\theta_0 = 0.2$)
energy flux:	magnetic	radiative / kinetic
total power in the jet:	$\sim 1.3 \dot{M} c^2 a_*^2$	$\sim 0.01 \dot{M} c^2$

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accretion rates:

$$\dot{M} \gtrsim 10^{-4} \dot{M}_{\text{Edd}}$$

$$\dot{M} \gtrsim 0.1 \dot{M}_{\text{Edd}}$$

velocities:

$$\dot{M} \gtrsim 3 \dot{M}_{\text{Edd}}$$

$$\gamma \gtrsim 10$$

$$v = 0.3c$$

collimation:

strong

weak ($\theta_0 = 0.2$)

energy flux:

magnetic

radiative / kinetic

total power in the jet:

$$\sim 1.3 \dot{M} c^2 a_*^2$$

$$\sim 0.01 \dot{M} c^2$$

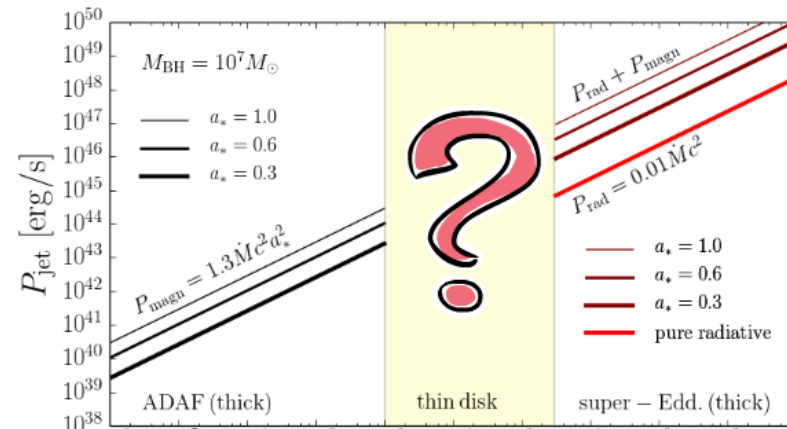
Thin disks (preliminary)

Jets in thin disks

- Sub-Eddington disks geometrically thin

Radiative jets:

- Lack of collimation
- Photosphere at the disk surface



Simulation magnetized

- 3D simulation
- near- and
- Self-consistent
- Magnetized
- flux injected

Jets in thin disks

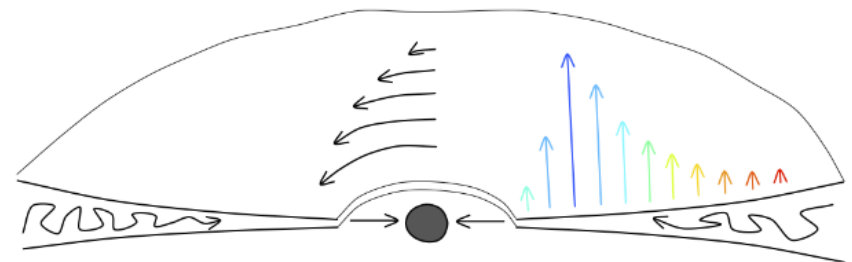
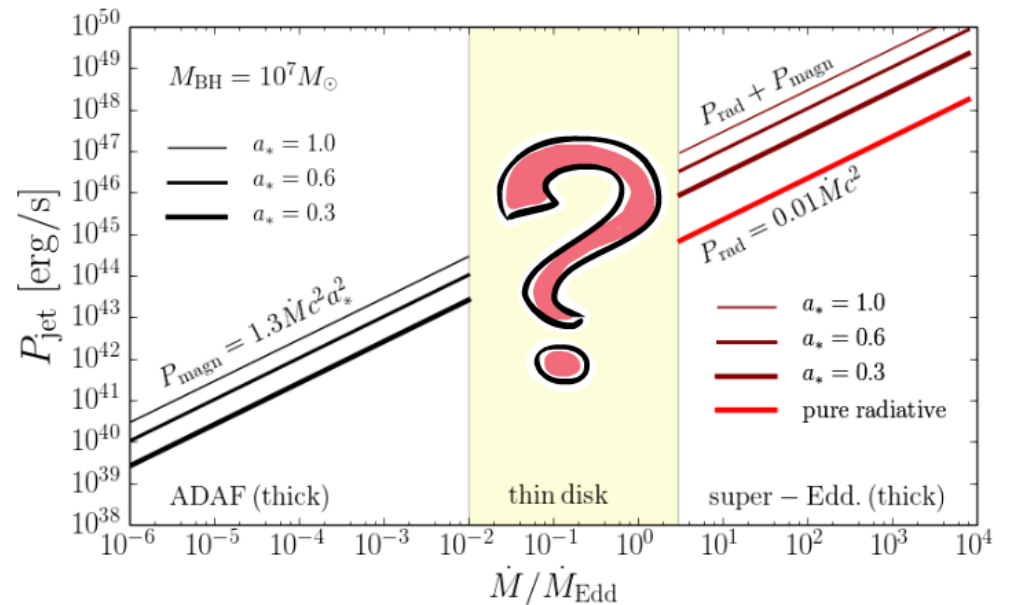
- Sub-Eddington disks geometrically thin

Radiative jets:

- Lack of collimation
- Photosphere at the disk surface
- Radiation almost isotropic

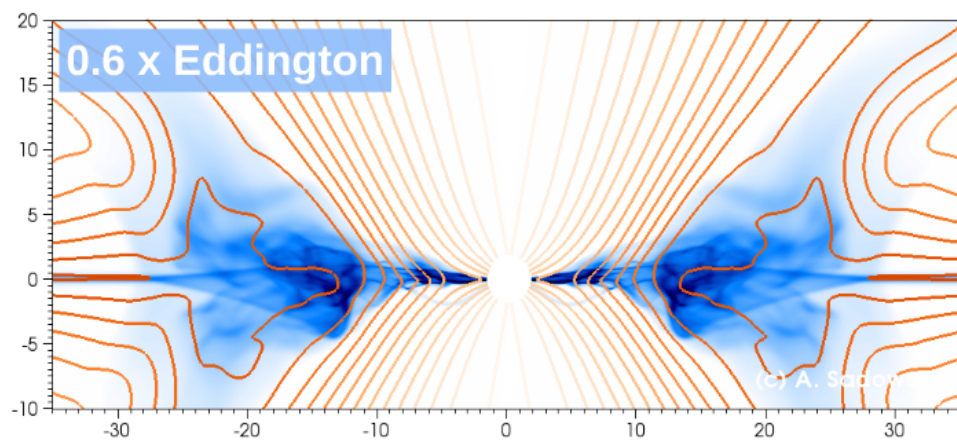
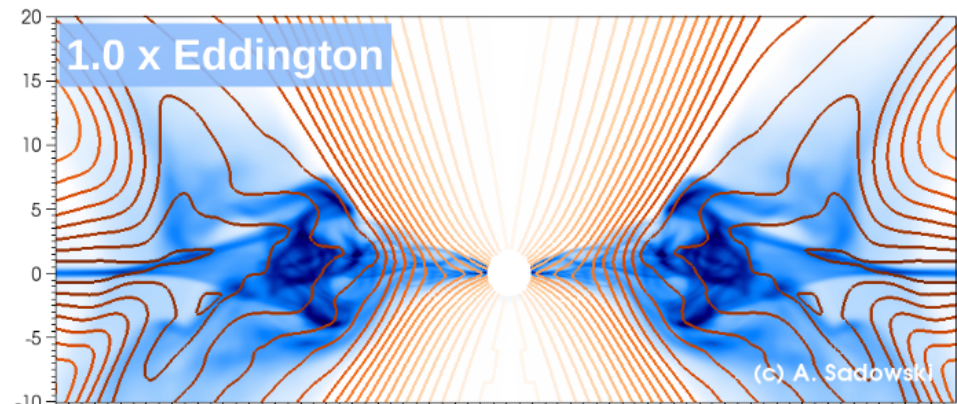
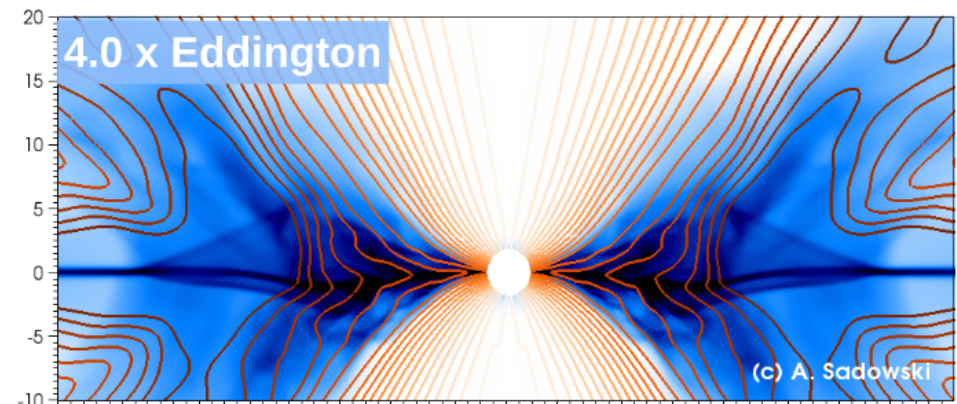
Magnetic jets:

- Slow inflow velocity
- Thin disks
- Dragging of the magnetic flux less efficient
- Outward diffusion may win and prevent MAD state or at least lower its efficiency



Simulations of strongly magnetized thin disks

- 3D simulations of optically thick disks at near- and sub-Eddington accretion rates
- Self-consistent radiative cooling
- Magnetized gas with significant magnetic flux injected through the outer boundary
- Gas circularizes at $R = 15\text{-}20 M$
- Magnetic flux brought on the BH
- Duration of simulations ~ 70 orbital periods at ISCO



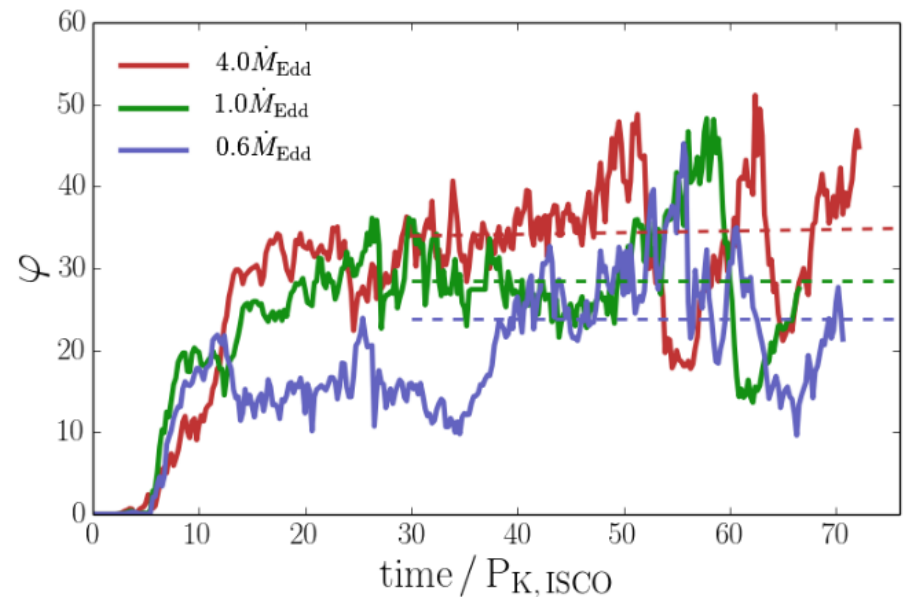
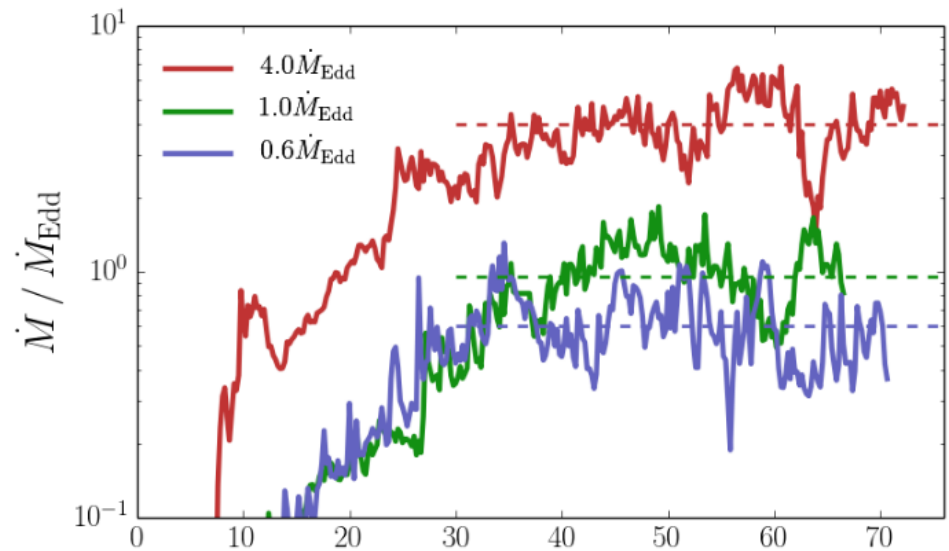
Magnetic flux at BH horizon

- Jet power depends on the magnetic flux accumulated at BH horizon
- The amount of flux at the BH parametrized through:

$$\varphi = \frac{1}{\sqrt{\langle \dot{M} \rangle}} \frac{4\pi}{2} \int_0^\pi \int_0^{2\pi} \sqrt{-g} |B^r| d\varphi d\theta$$

- Flux parameter value determined by the balance of inward dragging of magnetic field and outward diffusion
- Thick disks give ~ 50
- Our results:

Accretion rate	φ
$4.0\dot{M}_{\text{Edd}}$	34 ± 7
$1.0\dot{M}_{\text{Edd}}$	29 ± 7
$0.6\dot{M}_{\text{Edd}}$	23 ± 7

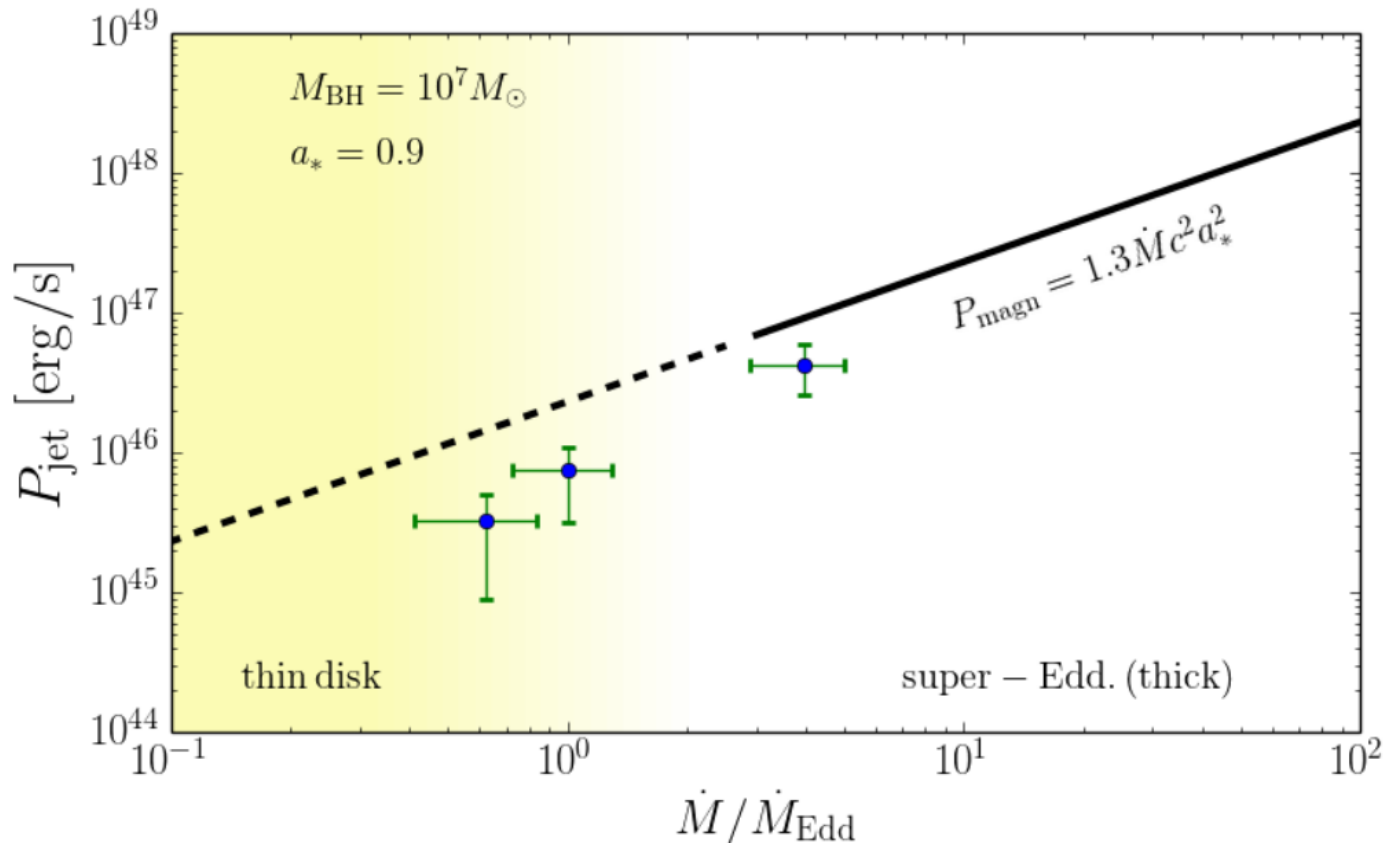


Jet power in thin disks

$$P_{\text{jet}} = 1.3\dot{M}c^2 \left(\frac{\varphi}{50}\right)^2 a_*^2$$

Caveats:

- Thin disks accumulate lower magnetic flux at the BH horizon
- Jet power goes down with decreasing accretion rate
- Jet shut off smooth
- small radial range of the equilibrium state
- applicable at least to tidal disruption events
- high magnetization of the flow



Radiative jets / jets in thin disks

Cracow

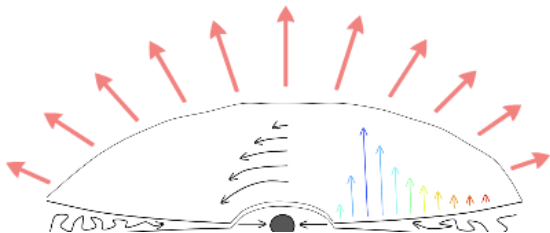
Aleksander Sądowski, MIT

4/20/2015

Radiation from accretion disks

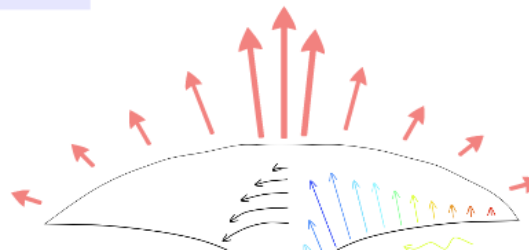
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